# THE NATURE AND SPECTROSCOPIC CHARACTER OF THE METAL-OXYGEN BONDING OF SOME HEAVY METALS

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The infra-red spectra of compounds containing metal-oxygen bonds, viz., mono-oxy- and hydroxy-compounds of rhenium, ruthenium and osmium of the general formulae  $MO_nL_{6-n}^{\kappa-}(n=1)$  with M=Re, Os; n=2 with M=Re, Ru, Os and n=3 with M=Re, Os), [MO(OH)L<sub>4</sub>] $^{\nu}$ , (M=Re), [M(OH)<sub>2</sub>L<sub>4</sub>] $^{\nu}$ - (M=Re,Ru,Os) and MO<sub>4</sub> $^{k}$  (k=0,-1,-2) and M=Re, Ru, Os) and those of binuclear compounds containing the oxygen bridge MOM were examined. On the basis of group theory the normal modes and correlation tables for all possible structures of these compounds were compiled, and the particular bands were assigned to the corresponding functional groups. Approximate expressions for calculation of force constants in the metal-oxygen bonds existing in the oxycompounds of rhenium, ruthenium and osmium were derived. A comprehensive discussion of the results obtained is presented.

### Introduction

The oxygen atom forms strong bonds with metal atoms. These bonds result both from  $\sigma$  and  $\pi$  interactions. The metal oxycations  $MO_n^{x+}$  and oxyanions  $MO_m^{y-}$  are stable in solid and liquid phases and in solutions. Owing to its electrodonor properties, the oxygen atom can also form a connecting bridge between the metal atoms to yield stable MOM groups. These oxygen bridges make possible the occurrence of a peculiar kind of superexchange between the metal atoms, which may result in complete spin quenching of the metal atoms. This extreme case was called "oxygen bonding". Vibrational spectroscopy is a good tool for discerning the character of the chemical bonds, i.e. the interactions between the atoms of oxygen and metal. This method permits to determine the molecular structure and type of interactions, and to establish the extent of the  $\pi$  character in the bonding as well. The present studies were made on heavy transition metals—rhenium, ruthenium and osmium—where the tendency to form  $\pi$ -bondings is particularly evident.

Earlier papers on the vibrational spectroscopy of rhenium [1–15] and osmium [16–18] oxy-compounds dealt only with the limited spectral region (650–1000 cm<sup>-1</sup>) and did not contain any theoretical band assignment. From among the ruthenium oxycomplexes, only

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the tetrahedral compounds were subject to spectroscopic studies [19–24]. In our paper, we present the result of infra-red studies over a 200–4000 cm<sup>-1</sup> range (Perkin-Elmer Grating Spectrophotometer, Model 621) on the following oxy- and hydroxy-compounds:

— for rhenium: ReO<sub>2</sub>, KReO<sub>4</sub>, CsReO<sub>4</sub>, K<sub>2</sub>[ReOCl<sub>5</sub>] [25]

$$\begin{split} & \text{Cs}_2[\text{ReOCl}_5] \text{ [25], } \text{Cs}_2[\text{ReOCl}_4\text{F}] \text{ [26], } \text{Cs}_2[\text{ReO}_3\text{Cl}_3] \text{ [27]} \\ & [\text{ReO}_2\text{en}_2]\text{Cl} \text{ [28], } [\text{Re}(\text{OH})_2\text{en}_2]\text{Cl}_3 \text{ [28]} \\ & [\text{Re}(\text{OH})_2\text{en}_2]\text{F}_3 \text{ [28], } [\text{ReO}(\text{OH})\text{en}_2]\text{Cl}_2 \text{ [28], } \\ & [\text{ReO}_2\text{py}_4]\text{Cl} \text{ [8], } [\text{ReOCl}_3\text{en}] \text{ [29], } [\text{ReOCl}_3\text{py}_2] \text{ [29]} \\ & \text{K}_3[\text{ReO}_2(\text{CN})_4] \cdot \text{H}_2\text{O} \text{ [30, 31], } \text{K}_4[\text{Re}_2\text{OCl}_{10}] \text{ [32], } \\ & \text{Cs}_4[\text{Re}_2\text{OCl}_{10}] \text{ [32], } [\text{Re}_2\text{O}_3\text{en}_2\text{Cl}_4] \text{ [1], } \\ & [\text{Re}_2\text{O}_3\text{py}_4\text{Cl}_4] \text{ [2], } \text{K}_6[\text{Re}_2\text{O}_3(\text{CN})_8] \cdot \text{H}_2\text{O} \text{ [6]; } \end{split}$$

— for osmium: OsO<sub>4</sub> (gas and solid), OsOF<sub>5</sub> [33], K<sub>2</sub>[OsO<sub>2</sub>Cl<sub>4</sub>] [34] (NH<sub>4</sub>)<sub>2</sub>[OsO<sub>2</sub>Cl<sub>4</sub>] [34], K<sub>2</sub>[OsO<sub>2</sub>(NO<sub>2</sub>)<sub>4</sub>] [34], K<sub>2</sub>[OsO<sub>2</sub>Br<sub>4</sub>] [34], K<sub>2</sub>[OsO<sub>2</sub>(C<sub>2</sub>O<sub>4</sub>)<sub>2</sub>] [34], K<sub>2</sub>[OsO<sub>2</sub>(OH)<sub>4</sub>] [34], K<sub>2</sub>[OsO<sub>2</sub>(OH)<sub>2</sub>(NO<sub>2</sub>)<sub>2</sub>] [34], K<sub>2</sub>[OsO<sub>2</sub>(OH)<sub>2</sub>(C<sub>2</sub>O<sub>4</sub>)] [34], C<sub>2</sub>[OsO<sub>2</sub>(OH)<sub>2</sub>(NO<sub>2</sub>)<sub>2</sub>] [34], K<sub>2</sub>[OsO<sub>2</sub>(OH)<sub>2</sub>(C<sub>2</sub>O<sub>4</sub>)<sub>2</sub>] [34], C<sub>2</sub>[OsO<sub>2</sub>(C<sub>2</sub>O<sub>4</sub>)<sub>2</sub>] [34], C<sub>2</sub>[OsO<sub>2</sub>(C<sub>2</sub>O<sub>4</sub>)<sub>2</sub>] [35], C<sub>2</sub>[OsO<sub>2</sub>(CN)<sub>4</sub>] [36], Ag<sub>2</sub>[OsO<sub>2</sub>(CN)<sub>4</sub>] [36], K<sub>2</sub>[OsO<sub>2</sub>(CN)<sub>4</sub>] [36], [OsO<sub>2</sub>(NH<sub>3</sub>)<sub>4</sub>]Cl<sub>2</sub> [37], [OsO<sub>2</sub>(NH<sub>3</sub>)<sub>4</sub>](OH)<sub>2</sub> [37], [OsO<sub>2</sub>(NH<sub>3</sub>)<sub>4</sub>](SO<sub>4</sub>) [37], C<sub>2</sub>[OsO<sub>3</sub>F<sub>3</sub>] [35, 38], (NH<sub>4</sub>)<sub>4</sub>[Os<sub>2</sub>OCl<sub>10</sub>] · H<sub>2</sub>O [39, 40], Y<sub>4</sub>[Os<sub>2</sub>OCl<sub>10</sub>] · H<sub>2</sub>O [39, 40], C<sub>4</sub>[Os<sub>2</sub>OCl<sub>6</sub>Br<sub>4</sub>] [39, 40], Y<sub>4</sub>[Os<sub>2</sub>OBr<sub>10</sub>] · H<sub>2</sub>O [39, 40], C<sub>4</sub>[Os<sub>2</sub>OCl<sub>6</sub>Br<sub>4</sub>] · H<sub>2</sub>O [39, 40], C<sub>4</sub>[Os<sub>2</sub>OCl<sub>8</sub>I<sub>2</sub>] · H<sub>2</sub>O [41–43], C<sub>4</sub>[Os<sub>2</sub>OCl<sub>8</sub>I<sub>2</sub>] · H<sub>2</sub>O [41–43], Y<sub>4</sub>[Os<sub>2</sub>OCl<sub>10</sub>] · H<sub>2</sub>O [41–43];

— for ruthenium: RuO<sub>4</sub> (gas and solid), KRuO<sub>4</sub>, NaRuO<sub>4</sub> [44],  $\begin{aligned} &\text{Na}_2\text{RuO}_4 \text{ [45]}, \text{ BaRuO}_4 \text{ [46]}, \text{ Cs}_2 \text{ [RuO}_2\text{Cl}_4 \text{] [45, 47]}, \\ &\text{Rb}_2 \text{ [RuO}_2\text{Cl}_4 \text{] [45, 47]}, \text{ Cs}_2 \text{ [RuO}_2\text{Br}_4 \text{] [45, 47]}, \\ &\text{Y}_2 \text{ [RuO}_2\text{Br}_4 \text{] [45, 47]}, \text{ Y}_2 \text{ [RuO}_2(\text{SO}_4)_2 \text{] [48, 49]}, \\ &\text{ [RuO}_2(\text{OH})_2(\text{NH}_3)_2 \text{] [49, 50]}, \text{ [Ru(OH)(NH}_3)_4(\text{NO)]} \text{Cl}_2 \text{ [51]}, \\ &\text{K}_2 \text{ [Ru(OH)(NO}_2)_4(\text{NO)]} \text{ [51]}, \text{ [Ru(OH)(NH}_3)_4(\text{NO)]} \text{Br}_2 \text{ [51]}, \end{aligned}$ 

$$\begin{split} & \text{Ag}_2\big[\text{Ru}(\text{OH})\text{Cl}_4(\text{NO})\big] \, [51], \ \, \text{K}_4\big[\text{Ru}_2\text{OCl}_{10}\big] \, \cdot \, \text{H}_2\text{O} \, [52], \\ & \text{Y}_4\big[\text{Ru}_2\text{OCl}_{10}\big] \cdot \, \text{H}_2\text{O} \, [52], \ \, \text{K}_4\big[\text{Ru}_2\text{OBr}_{10}\big] \cdot \, \text{H}_2\text{O} \, [52], \\ & \text{Y}_4\big[\text{Ru}_2\text{OBr}_{10}\big] \cdot \, \text{H}_2\text{O} \, [52], \ \, \text{Y}_4\big[\text{Ru}_2\text{OCl}_8\text{Br}_2\big] \cdot \, \text{H}_2\text{O} \, [52], \end{split}$$

where  $Y = [As(phen)_4]$ .

For comparison and elimination of metal-halogen bands, the spectra of the following simple complexes were procured:

— for rhenium: K<sub>2</sub>ReCl<sub>6</sub> [53], Cs<sub>2</sub>ReCl<sub>6</sub> [53], K<sub>2</sub>ReF<sub>6</sub> [53],

 $Cs_2ReF_6$  [53],  $Cs[Re(CN)_6] \cdot H_2O$  [54],

 $Y[Re(CN)_6] \cdot H_2O$  [54];

- for ruthenium: K<sub>2</sub>RuCl<sub>6</sub> [45], K<sub>2</sub>RuBr<sub>6</sub> [45, 50];

— for osmium:  $K_2OsCl_6$  [39],  $K_2OsBr_6$  [39],  $K_2OsI_6$  [39],  $K_2OsF_6$  [55].

The above complexes were obtained by the methods described in the papers referred to at each particular compound. The compounds examined by us are divided into two groups, one with pseudotetrahedral symmetry and the other with pseudoctahedral symmetry.

## Compounds with pseudotetrahedral symmetry

Perrhenates were studied by several authors [56–61]. Griffith [56], Kriegsmann [57, 61] and Petrov [59] have established  $T_d$  symmetry of the anion on the basis of IR and Ra spectra in aqueous solutions. These studies, as well as those made by Baran [62] and Busey [60] in the solid state, were used by Müller and Krebs [24] for their calculations of force constants in the ReO<sub>4</sub> anion. In our opinion, the  $T_d$  symmetry is not a good approximation of the actual structure of this anion in the solid state. On the basis of group theory we have compiled a correlation table of symmetry groups for a distorted tetrahedron (Table I).

TABLE I Correlation table of the symmetry groups for a distorted tetrahedron

	$T_d$	$C_{3v}$	$C_{2v}$	$C_s$	C <sub>2</sub>	C <sub>3</sub>	$S_4$
$v_1$	$A_1(R)$	$A_1(I,R)$	$A_1(I,R)$	A'(I,R)	A(I,R)	A(I,R)	A(R)
$\nu_2$	E(R)	E(I,R)	$A_1(I,R)+$	$A^{\prime\prime}(I,R)$	2A(I,R)	E(I,R)	A(R)+
$v_3$	$F_2(I,R)$	$A_1(I,R)+$	$A_1(I,R)+$	2A'(I,R)+	A(I,R)+	A(I,R)+	+B(I,R) B(I,R)+
		+E(I,R)	$+B_1(I,R) + B_2(I,R)$	+A''(I,R)	+B(I,R)+ +B(I,R)	+E(I,R)	+E(I,R)
$\nu_4$	$F_2(I,R)$	$A_1(I,R)+$	$A_1(I,R)+$	2A'(I,R)+	A(I,R)+	A(I,R)+	B(I,R)+
	,	+E(I,R)	$\begin{vmatrix} +B_1(I,R) + \\ +B_2(I,R) \end{vmatrix}$	+A''(I,R)	+B(I,R)+ +B(I,R)	+E(I,R)	+E(I,R)

The spectra of perrhenates and the oxide ReO<sub>2</sub> are given together with their assignments in Table II.

According to the correlation table, KReO<sub>4</sub> has  $S_4$  symmetry. This is shown by the absence of the  $\nu(\text{Re=0})$  at 965 cm<sup>-1</sup> and the presence of doublets  $\delta(\text{OReO})$  and  $\nu(\text{ReO}_4)$ . In the case of CsReO<sub>4</sub> the presence of the  $\nu(\text{Re=0})$  band and triplets of the above bands are characteristic of the C<sub>s</sub> symmetry.

A definite symmetry may also be assigned to the oxide  $\text{ReO}_2$ . The arrangement and intensities of its bands are evidence of pseudotetrahedral structure. The absence of the  $\nu(\text{Re}=0)$  band at about 970 cm<sup>-1</sup> and the splitting of other bands correspond to the  $S_4$ 

TABLE II

	Cs ReO <sub>4</sub>	K ReO <sub>4</sub>	$\mathrm{ReO}_2$	Symmetry	
Spectrum	Symmetry C <sub>s</sub>	Spectrum	Spectrum	$S_4$	
			245 w 278 m	$\begin{cases} \delta(0^*\text{ReO}) B \\ \delta(0^*\text{ReO}^*) E \end{cases}$	
270 7	$\delta({ m OReO})~A^{\prime\prime}$	305 vs	305 vs	$\delta_{as}(OReO) B$	
318 w, sh 328 vs	$\delta(\text{OReO}) A'$	314 vs	315 s	$\delta_{\rm c}({ m OReO})~E$	
335 s	$\delta(\text{OReO}) A'$	022.00		31	
345 m	$\delta(\text{ReO}_4) A''$	365 s	363 m	$\delta({ m ReO_4})~B$	
0.20	4/		466 w, vvb	$v_s(\text{ReORe}) \text{ or } v(\text{ReO})$	
			736 w, vvb	$\nu_{as}({ m ReORe})$	
901 vs	ν(ReO <sub>4</sub> ) Α''				
915 vs	$\nu({ m ReO_4})~A'$	913 vs	911 vs, b	$v_{as}({ m ReO_4}) E$	
931 s, sh	$\nu({ m ReO_4})~A'$	930 vs, sh	939 vs, sh	$v_s({ m ReO_4})~B$	
967 w	$\nu(\text{Re}=0) A'$	965		v(Re=0)A	
	in the last of			(calc. from comb. band)	
1866 w	$\begin{cases} 967 + 901 \\ 2 \times 931 \end{cases}$	1859 m	1858 m	2×930	
1880 w	967+915	1870 w, sh		965+913	
1905 w	967+931	1903 w		965+930	

symmetry. The two weak bands appearing between 200 and 300 cm<sup>-1</sup> result from the deformation vibrations  $\delta(0^*\text{ReO})$  and  $\delta(0^*\text{ReO}^*)$ , where the Re—O\* bonding is somewhat longer with respect to Re—O. Two new bands, very diffuse and weak, are also observed over the 450–750 cm<sup>-1</sup> region. Such arrangement of bands (three bands above 400 cm<sup>-1</sup>) is characteristic of most oxides. The band at 466 cm<sup>-1</sup> results most probably from the  $\nu_s(\text{ReORe})$  or  $\nu(\text{Re}-\text{O})$  vibrations, since the ReORe system seems to be angular in this case. The absorption at 736 cm<sup>-1</sup> was assigned to the asymmetric stretching vibrations of the angular ReORe group existing in the space lattice.

The infra-red spectra of the respective osmium and ruthenium compounds are shown in Table III and IV.

The infra-red spectra of osmium [20, 23, 63, 64] and ruthenium [19-24] oxy-compounds of a general formula MO<sub>4</sub> are extensively discussed in the literature. The spectra of these

TABLE III

OsO <sub>4</sub> gas	OsO <sub>4</sub> solid	RuO <sub>4</sub>	RuO <sub>4</sub> solid	$T_d$
970	962	873		v <sub>1</sub> (A <sub>1</sub> )*
960 vs, b	$ \begin{array}{c} 945  s,  sh \\ 956  s \end{array} $	920 vs, b	$\left\{\begin{array}{c}906\ s,sh\\924\ s\end{array}\right\}$	$v_3$ (F <sub>2</sub> )
329 s, b	$ \begin{array}{c} 321 \text{ w, } sh \\ 331 \text{ s} \end{array} $	329 s, b	$\begin{array}{c} 329 s \\ 336 m, sh \end{array}$	ν <sub>4</sub> (F <sub>2</sub> )
1930 w		1793 m	_ ′	$\nu_1 + \nu_3$
1920 w	1918 vw	1828 w	-	$2v_3$

<sup>\*</sup> v<sub>1</sub>(A<sub>1</sub>) calculated from combination bands.

compounds in the solid and gas state (Table III), when compared with the correlation table (Table I), enable to establish  $T_d$  symmetry in these oxides. This is shown by the absence of the  $v_1(A_1)$  and  $v_2(E)$  bands, which are forbidden in the infrared. The values of  $v_1(A_1)$  given in the table have been calculated from the combination bands. A slight splitting of the  $v_3(F_2)$  and  $v_4(F_2)$  bands in the solid state results from the crystal field effect. The lowering

TABLE IV

Na RuO4	K RuO <sub>4</sub>	Symmetry S <sub>4</sub>	K <sub>2</sub> RuO <sub>4</sub>	Ba RuO <sub>4</sub>	$\mathbf{C}_{s}$
283 s	279 s, sh	$\delta_{as}(ORuO) B$	301 w, sh	294 w. sh	δ(ORuO) A''
287 s	285 s	$\delta_s(ORuO) E$	320 vs	321 vs. b	$\delta(\text{ORuO}) A'$
334 w	330 m	$\delta({ m RuO_4})~B$	328 s, sh	334 s, sh	$\delta(\text{ORuO}) A'$
			334 m	338 m	$\delta(\text{RuO}_4) A''$
828 m	825 m	$v_{as}(RuO_4) E$	802 m, sh	805 s, sh	$v(\text{RuO}_4) A^{\prime\prime}$
			807 vs	813 vs	$\nu(\text{RuO}_4) A'$
851 s	849 s	$v_s({ m RuO_4})~B$	835 s, sh	832 s, sh	$\nu(\text{RuO}_4)$ $A'$
-	864	$\nu(\text{Ru}=0)^* A$	859 m	856 m	$\nu(\text{Ru=0}) A'$
-	1652 w	$2 \times v_{as}$	1671 w	1669 w	$v(\text{Ru}=0)+v(\text{Ru}O_4)$
	1713 vw	$\nu(\text{Ru}=0)+\nu_s(\text{RuO}_4)$	1698 w	1680 w	$\nu(\text{Ru}=0) + \nu(\text{Ru}O_4)$

<sup>\*</sup> v(Ru=0)A calculated from combination bands.

symmetry in solid state may be observed in the vibrational spectra of the ruthenium oxyanions (Table IV). According to the correlation table, the ruthenates have  $S_4$  symmetry, as shown by the occurrence of the  $\delta(\text{ORuO})$  and  $\nu(\text{RuO}_4)$  doublets and the absence of the  $\nu(\text{Ru=O})$  band. The  $\text{RuO}_4^{\Rightarrow}$  oxyanions have still lower symmetry in the solid state, since the band arrangement in the spectra with a triplet band structure is characteristic of the  $C_s$  symmetry.

## Complex compounds with pseudooctahedral symmetry

A theoretical treatment of normal vibrations in pseudo-octahedral oxy-compounds of a general formula  $[MO_nL_{6-n}]^x$  is presented in Table V.

This table enables an accurate assessment of the complex symmetry to be made, since the isomeric structure of a compound may be determined from the number of the  $\nu(MO)$  and  $\nu(ML)$  bands. The particular classes of compounds will be discussed in detail.

Normal vibrations of the  $MO_nL_{6-n}^{\phantom{0}x-}$  systems

		7	43~ 5444		,, ,,		Q (2009)
	3.16	C	v(MC	)) · su	$\nu(ML)$	145	Irreducible
Type of compound	Isomer	Sym- metry	Represen- tation	Numb. of IR bands	Representation	Numb. of IR bands	representation of the group
$\mathrm{MOL}_5$		$C_{4v}$	$A_1$	1	$2A_1 + B_1 + E$	74 .स∂£ 3	$4A_1 + 2B_1 + B_2 + 4E$
MO <sub>2</sub> L <sub>4</sub>	cis	$C_{2v}$	$A_{1g} + A_{2u}$ $A_1 + B_1$	2	$A_{1g} + B_{1g} + E_u$ $2A_1 + B_1 + B_2$	4	$2A_{1g} + B_{1g} + B_{2g} + \\ + E_g + 2A_{2u} + 3E$ $6A_1 + 2A_2 + 4B_1 + \\ + 3B_2$
$ m MO_3L_3$	trans cis	$C_{2v}$ $C_{3v}$	$ \begin{array}{c c} 2A_1 + B_1 \\ A_1 + E \end{array} $	2	$2A_1 + B_2$ $A_1 + E$	2	$\begin{array}{c} 6A_{1} + A_{2} + 4B_{1} + 4B \\ 4A_{1} + A_{2} + 5E \\ \text{(degener.)} \end{array}$
$\overline{\mathrm{MOL_3X_2}}$	trans	$C_{2v}$ $C_s$	$A_1$ $A'$	1	$2A_1 + B_1  2A' + A''$	3 3	4A <sub>1</sub> +B <sub>1</sub> +B <sub>2</sub> 4A'+2A"

## A. The MOL<sub>5</sub> type compounds

The molecule of a general formula  $XY_5Z$  and  $C_{4v}$  symmetry has been theoretically discussed by Griffiths [65], Cross [66], Smith [67] et al. on the basis of the spectra of  $SF_5Cl$  and  $IOF_5$ . The notation employed by these authors is used aside our own in considerations of the bond vibrations in these compounds. For comparison, the infra-red spectra of the the  $ML_6^-$  type anions (Table VI) were found in order to obtain the data on the metal-halogen bond frequency which is necessary for further discussion.

TABLE VI

TABLE V

Cs <sub>2</sub> ReCl <sub>6</sub>	$ m K_2ReCl_6$	$K_2 ReF_6$	$Cs_2ReF_6$	$ m K_2OsCl_6$	$ m K_2OsBr_6$	$ m K_2OsF_6$	$ m K_2OsI_6$	$K_2$ RuCl $_6$	$ m K_2RuBr_6$	Assignment
<b>30</b> 9 vs	317 vs	540 vs	528 vs	325 vs	224 vs	548 vs	n. o.	328 vs		$v_3(F_{1u})\delta({\rm LML})$
n. o.	n. o.	235 vs	238 vs	n. o.	n. o.	$ \begin{vmatrix} 262 & s \\ 246 & sh \end{vmatrix} $	n. o.	n. o.	n. o.	$v_4(F_{1u})-v(ML)$

The abbreviation "n.o." denotes the frequencies which we could not observe because they lie below 200 cm<sup>-1</sup>.

Table VII contains the infra-red spectra of ReOCl<sub>5</sub><sup>=</sup> ReOCl<sub>4</sub>F<sup>=</sup> and OsOF<sub>5</sub>. L' denotes the ligand atom (Cl, F) in trans position with respect to the oxygen. The broad

TABLE VII

Species	Activity	Assignment*	Denotations**	$ m K_2[ReOCl_5]$ .aq	$ ext{Cs}_2[ ext{ReOCl}_5]$ .aq	$Cs_2[ReOCl_4F]$	OsOF <sub>5</sub> gas
		ν(OH)	Y	3340 w, b	3540 m, b		
-	-	$\delta$ (HOH)		1635 m, b	1605 s, b		
$A_1$	IR, Ra	ν(M=O)	ν <sub>1</sub> (M=0) axial stretch	993, 988 vs	955 vs	973 vs	960 vs
		$\nu_s(\mathrm{ML_4})$	$v_2(\mathrm{ML}_4)$ sym. square		47	e"	
			stretch	316 vs, b	310 vs, b	305 vs, b	712 vs
		$\gamma(\mathrm{ML_4})$	v <sub>3</sub> (ML <sub>4</sub> ) out of plane	1			
		*	deform.	275 w, sh	273 w,sh	279 s,sh	628 m, sh
		$v_{as}$ (ML')***	v <sub>4</sub> (ML') stretch***	316 vs, b	$310 \ vs, b$	506 vs	640 s
$A_2$		_					
$B_1$	Ra	$v_{as}$ (ML <sub>2</sub> )	$v_5(\mathrm{ML_4})$ square stretch			_	
		$\delta(\mathrm{ML_2})$	$v_6(\mathrm{ML_4})$ out of plane				
			deform.				
$B_2$	Ra	$\gamma(\mathrm{ML}_2)$	$\nu_7(\mathrm{ML}_4)$ in plane deform.	_			
E	IR, Ra	$v_{as}$ (ML <sub>4</sub> )	$\nu_8(\mathrm{ML_4})$ antisym.square	٠.			
			stretch	330 s,sh	327 s,sh	305 vs, b	703 vs, b
		<sub>Q</sub> (MO)	$\nu_9(\text{MO})$ rocking	230 m	231 s	237 m	330 m
		$\delta(\text{LMO})$	$\nu_{10}({ m LMO})$ deform.	218 w	217 w	215 w	231 w
		Q(ML')	$\nu_{11}(\mathrm{ML}_5)$ rocking	n.o.	n.o.	n.o.	272 s
		Combination					1337 w
		bands	$2\nu_1$ :				$1\dot{4}05~m$
							1915 m

<sup>\*</sup>Assignments employed in the present paper; \*\* Assignments employed in papers [65-67] \*\*\* For compound Cs<sub>2</sub>[ReOCl<sub>4</sub>F] this band corresponds to  $\nu$  (ReF).

and strong bands at 316, 310 and 305 cm<sup>-1</sup> for rhenium compounds result most certainly from overlapping of  $\nu_2$  and  $\nu_1$  or  $\nu_2$  and  $\nu_8$  in the latter case. The bands found at about 275 cm<sup>-1</sup> in the spectra of rhenium complexes result from the deformation vibration of the ReCl<sub>4</sub> group and correspond most likely to  $\nu_2(E_g)$  for the ReCl<sub>6</sub> anion. The weak band at 483 cm<sup>-1</sup> appears in the region deprived of the  $\nu(\text{ReCl})$ ,  $\nu(\text{ReF})$  and  $\nu(\text{ReO})$  frequencies. This is a combination band:  $\delta(\text{ClReO}) + \nu(\text{ReCl}_4)$ .

The band assignment for the osmium oxycompound was made on the basis of the spectrum of gaseous  $OsF_6$  published by Weinstock *et al.* [68]. The spectrum exhibits two bands,  $\nu_3(F_{1u})$  720 cm<sup>-1</sup> and  $\nu_4(F_{1u})$  268 cm<sup>-1</sup>, and a number of combination bands. The band frequencies are consistent with those observed by us for  $OsOF_5$ .

The  $\nu(M=0)$  frequencies are observed for all compounds in Table VII over the 950–995 cm<sup>-1</sup> region.

Ruthenium does not form any such compounds.

## B. The $MO_2L_4$ type compounds

This type of compounds will be discussed on the basis of infra-red spectra of rhenium, ruthenium and osmium complexes with changing ligands. This system has two possible isomorphic modifications — cis compound with  $C_{2v}$  symmetry and trans compound with  $D_{4h}$ 

Normal vibrations of the MO<sub>2</sub>L<sub>4</sub> system

Isomer	Sym- metry	Species	Act	ivity	Number	Type of normal vibration	Numb	
2002202		Township all the second	ÎR	Ra	bands		ν(M=0)	ν(ML)
cis	$C_{2\sigma}$	$A_1$	$\boldsymbol{a}$	p	6	$\nu_s(\mathrm{MO_2}),  \delta(\mathrm{MO_2}),  \nu_s(\mathrm{ML_2}),$		
						$\nu_s(\text{ML}'_2), \ \delta(\text{ML}_2), \ \delta(\text{ML}'_2)$	1	2
		A <sub>2</sub>	ia	dp	3	$\tau(MO_2), \tau(ML_2)$	-	
		$B_1$	$\boldsymbol{a}$	dp	3	$v_{as}(MO_2), v_{as}(ML_2), \delta(LMO)$	1	1
		B <sub>2</sub>	a	dp	4	$\gamma(\text{MO}_2), v_{as}(\text{ML}'_2), \gamma(\text{ML}_2), \ \varrho(\text{ML}'_2)$	0	1
trans	$D_{4h}$	A <sub>1g</sub>	ia	p	2	$v_s(ML_4), v_s(MO_2)$	_	
		A <sub>1u</sub>	a	f	0	-	_	
		Azg	ia	p	0		_	-
		Azu	a	$\int f$	2	$\gamma(\text{ML}_4), \nu_{as}(\text{MO}_2)$	1	0
		$B_{1g}$	ia	p	1	$\delta(ML_4)$	-	
		$B_{1u}$	a	f	0		_	
		$B_{2g}$	ia	p	1	$\nu_s(\mathrm{ML}_2)$	_	
		$B_{2u}^{2g}$	a	f	1	$ au(\mathrm{ML_2})$	0	0
		$E_g$	ia	dp	1	$\delta(MO_2)$	_	
		$E_u$	a	$\int_{f}^{T}$	3	$\nu_{as}(\text{ML}_2),  \delta(\text{ML}_2),  \delta(\text{MO}_2)$	0	1

a - active, ia - inacitve, p - polarized, dp - depolarized, f - forbidden transitions

TABLE IX

$Cs[Re(CN)_6] \cdot H_2O$	Y[Re(CN) <sub>6</sub> ] · H <sub>2</sub> O		Assignment [54, 69-71]
3550 m, vb	3568 m, vb	3550 w 3380 m 2120 vs	ν(OH)
2152 vs	2155 vs	2094 s, sh 2079 s	v(CN)
1635 m	1635 m	1635 m 775 vvs, b	$\delta({ m HOH}) \  u_{as}({ m ReO}_2) \ { m A}_{2u}$
442 w, sh	<b>4</b> 22 m	475 s 469 s	$\delta(\text{OReC})$ and $\nu(\text{ReC})$
424 m	407 s	435 m	$\nu({ m ReC})$
406 w, sh	396 m	412 w	$\nu(\mathrm{Re}\mathbf{C})$
337 vs	350 vs	341 vs	$\delta(\text{ReCN})$
		252 s	$\delta({ m ReO_2})   { m E}_u$

symmetry. Table VIII contains the normal vibrations of such systems determined on the basis of the group theory.

According to this table, it is rather easy to distinguish between the cis- and trans-isomer, since the trans compound exhibits one  $v_{as}(MO_2)$  band in the infra-red, while the cis-compounds

TABLE X

en	[ReO <sub>2</sub> en <sub>2</sub> ]Cl	[Re(OH) <sub>2</sub> en <sub>2</sub> ]Cl <sub>3</sub>	$[Re(OH)_2 \\ en_2]F_3$	[ReO(OH) en <sub>2</sub> ]Cl <sub>2</sub>	[ReOCl <sub>3</sub> en]	[Re <sub>2</sub> O <sub>3</sub> en <sub>2</sub> Cl <sub>4</sub> ]	Assignments
			0.400 7				(077)
	4444	3400 s, b	3400 s, vb	3380 vs, b	0065 1	-	ν(OH)
348 vs	3212 s, sh	3352 vs, b	3270 vs	3164 vs		3272 s	v <sub>23</sub> B <sub>2</sub>
270 vs	3166 vs		3208 vs	3124 vs, sh	3230 vs	3228 vs	$ \begin{vmatrix} v_{23} & B_2 \\ v_1 & A_1 \\ v_{17} & B_1 \end{vmatrix}  v(NH) $
191 s	3084 vs	3129 vs, b	3116 s	3083 s, sh	3180 vs	3201 vs	$v_{17} B_1^J$
o t				3040 vs	3100 vs	3136 s	1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1
924 vs	2985 s	2975 vs	2993 m	2970 vs	2949 m	2948 m	$v_{24} B_2$
852 vs	2958 s		2950 s	2949 m	2888 w		$\begin{vmatrix} v_{24} & B_2 \\ v_{18} & B_1 \end{vmatrix} v(CH_2)$
738 m	2933 s	2945 vs	2922 s	2882 m		2887 10	v <sub>11</sub> A <sub>2</sub>
682 w, sh	2886 s	2608 w	2852 s	2832 w			$v_2 A_1$
-	2520 w	2422 w		2418 m	2494 w	100	
	2360 w	2355 w	2393 w		-		Overtone and
	2315 w	2308 w		2325 w	2315 w	2326 w	combination
	2163 w		2200 w		2250 m	2240 w	bands of
	2100 w	2110 w	2113 w	2142 w	2109 w	2108 w	ethylenediamir
			1690 w		1890 w	1885 w	
595 vs	1600 s	1572 vs	1563 vs	1577 m, sh	1563 vs	1579 vs	
		1562 s, sh		1573 vs		1562 vs	$\left  \begin{array}{cc} v_3 & A_1 \end{array} \right   \delta({ m NH_2})$
		1542 m	1542 s, sh	1560 m, sh		1555 vs	
457 m	1455 m	1462 s	1452 vs	1460 m, sh	1463 s	1462 s	v. A.)
448 m, sh	1443 vs	1450 vs	1445 s	1454 s	1456 s	1457 s	$ \begin{vmatrix} \nu_4 & A_1 \\ \nu_{26} & B_2 \end{vmatrix} \delta(\text{CH}_2) $
	1400 w				1400 w	1395 w	combination band of
366 m, sh	1378 vs	1363 s	1368 w	1362 s	1384 vs	1364 w	
355 m	10.000	2000.0	14.1		1362 s	10011	$v_{19} B_1$ $\omega(CH_2)$
307 m	1328 s	1331 m	1316 s	1323 m	1314 s	1315 m	1
.001 110	1020	1302 vs	20200	1306 vs	10120	1010 #	$v_{27}$ $B_2$ $\omega(NH_2)$
	1124 s	1123 s	1148 vs	1129 s	1138 vs	1140 vs	,
	1292 vs	1286 m	1293 vs	1281 m	1291 vs	1290 vs	
	1242 vs	1250 vs	12000	1243 vs	1275 s	1250 03	
	1225 m, sh	1220 m	1201 m		1204 s	1203 s	$\gamma(CH_2), \gamma(NH_2)$
175 w, b	1163 vs	1172 vs	1201 111	1166 vs	1150 vs	1190 m, sh	$v_{20} B_1$
.097 m	1106 s	111203	1109 w	1110 s	1110 ts	1111 m	$v_6 \setminus A_1 \nu(\text{CH}) \delta(\text{ReOH})$
1053 m	1058 vs	1052 vs	1048 vs	1056 vs	1050 vs	1052 vvs	$\begin{vmatrix} v_6 \\ v_{28} \end{vmatrix} B_2$ region
.000 111	1017 s	1052 03	1040 03	1050 05	1030 08	1032 008	V <sub>28</sub> J D <sub>2</sub> region
	1017 s 1007 vs	1003 vs	998 vs	1001 vs, sh	1004 m	1005 m	$\gamma(NH_2)$
974 s, sh	1001 vs		994 vs	999 vs	983 vs		$v_7$ $A_1$ $v(CC)$
9143,816	1000 08	983 s	23408			982 s	$ \begin{array}{c cccc} \nu_7 & A_1 & \nu(GG) \\ & \nu(Re = 0) \end{array} $
895 vs	000			981 vs	970 vs	935 m	
093 08	898 m	000	065	889 m	887 m	890 m, sh	
	882 m	882 m	867 m	883 w	873 s	875 s	∫ <i>Q</i> (CH) <sub>2</sub>
	010		7		864 m	200	
600	819 vvs, b	-		-	-	800 w, sh	$v_{as}(\text{ReO}_2)$
820 vs	815 vs, sh	802 s	818 w	820 w	821 w	809 w, sh	
	750 vs	775 w	741 s	773 m	744 vs	760 s, sh	$v_{21} B_1 \varrho(NH_2)$
	_	_	-	-	_	730 vs, sh	v <sub>as</sub> (ReORe)
	723 vs	731 m	741 s		700 s	724 vs	$\rho_{Q(NH_2)}$
	693 vs	627 m	700 w	629 vs	665 w	706 vs, sh	Q(MH2)

Table X (continued)

en	$[{ m ReO_2} \ { m en_2}]{ m Cl}$	[Re(OH) <sub>2</sub> en <sub>2</sub> ]Cl <sub>3</sub>	$ \begin{array}{c} [\mathrm{Re}(\mathrm{OH})_2 \\ \mathrm{en}_2]\mathrm{F}_3 \end{array} $	[ReO(OH) en <sub>2</sub> ]Cl <sub>2</sub>	[ReOCl <sub>3</sub> en]	$[\mathrm{Re_2O_3}\\ \mathrm{en_2Cl_4}]$	Assignments
		571 s	554 s	565 s			v(Re-OH)
	556 w	1	1.	10 1			
114	568 w	557 m	542 s	558 s, sh	557 s	550 m	v(ReN) with
		- 112	10.141			48.	$\varrho(\mathrm{NH_2})$
510 m	489 s	514 s	502 vs	517 vs	515 s	511 m	$v_{30}$ $B_2$ $\varrho(\text{NH}_2)$ or
			N. C.		. Dans		$\delta(\text{NCCN})$
475 w	446 w	448 s	438 s	468 w	442 s	.441 s	$\nu_9 A_1 \delta(NCCN)$
-	418 w	12 799		435 s		i egalle	$\nu(\text{ReN})$
366 m, vb	348 vw	· 335 s	329 s	337 m	336 s	338 m	ν <sub>22</sub> Β <sub>1</sub> ΝΙΙ
	309  m	325 m, sh	317 \$	in Ha			NH <sub>2</sub> -torsion
\$1,000 to 1					308 vvs	305 vs	$\nu({ m ReCl})$
- Lin 4	291 s	303 m, sh	306 m	285 m	283 vs, b	291 s	v(ReN) and
	280 m, sh	273 s	266 m	273 s	100	281 s	$\delta({ m NReN})$
Abi di de	229 m, sh	3.1	236 w, sh	248 w, sh	232 s	. 232 m	$\delta({ m NReN})$ and ring deform
	215 s	w Ja		220 m	217 s	215 m	$\delta({ m OReO})$ , $\delta({ m OReCl})$ or
							$\delta({ m OReOH})$

should possess two bands resulting from the symmetric and asymmetric vibrations of the MO<sub>2</sub> group.

The vibrational spectra of cyanide rhenium complexes have been examined by several authors [54, 69, 70]. On the basis of these studies and assignments given by Nakamoto [71], we have described the bands for  $[Re(CN)_6]^-$  and  $K_3[ReO_2(CN)_4].H_2O$  (Table IX).

The spectrum of  $K_3[\text{ReO}_2(\text{CN})_4] \cdot \text{H}_2\text{O}$  exhibits only one vibration of the  $\text{ReO}_2$  group, which is evidence of trans configuration of the oxygens in the OReO system. This result confirms the structural X-ray analysis made earlier [72].

Another group of compounds examined in the present paper are the compounds of rhenium with ethylenodiamine. The spectra of these compounds together with their assignments are given in Table X. The complexes of formulae [ReOCl<sub>3</sub>en] and [Re<sub>2</sub>O<sub>3</sub>en<sub>2</sub>Cl<sub>4</sub>] will be discussed separately (pp 88 and 92), but, in order to eliminate the bands of ethylenediamine, it was necessary to enter all these spectra into one table. The spectrum of ethylenediamine is relatively complex over the entire region examined by us. In spite of this, it is not difficult to eliminate the bands resulting from this ligand. For comparison, we have also obtained the spectrum of ethylenediamine alone [73].

The changes in the spectrum of bounded ethyldiamine depending on structure enable certain conclusions to be drawn in determinations of the isomeric structure of the formed complex. The results of studies on a large number of cis- and trans-compounds enabled us to develop a general interpretation and classification of compounds where ethylenediamine appears as a ligand. According to these results:

— the ethylenediamine band  $\delta(NH_2)$  at about 1600 cm<sup>-1</sup> is split into a sharp doublet for the cis-compounds [74, 75];

ру	$[{\rm ReO}_2 p y_4] { m Cl}$	$[ReOCl_3py_2]$	$[\mathrm{Re}_2\mathrm{O}_3py_4\mathrm{Cl}_4]$	Assignment
	3400 s, b			ν(OH)
3077 vs	01000,0	3099 s	3070 vs	$v_{20b} B_1$
3052 vs		3088 m		$v_{20a} A_1$
3032 vs	3040 vs, vb	3062 s	3064 vs	$\begin{bmatrix} v_{7b} & B_1 \end{bmatrix} v(CH)$
3024 vs	0010 00,00	.00020		2. 4.
3000 s			* .*	$\begin{bmatrix} v_1^{13} & A_1 \\ v_2 & A_1 \end{bmatrix}$
2910 w		2911 w	2913 w	)
2910 W	2800 m, b	2,11 0	2710 00	
	2000 71, 0	2456 w	2452 w	
1986 w	2015 w	1999 w	1995 w	Overtone and combination
1922 m	1968 vw	1968 w	1968 w	bands of pyridine
1872 w	1,500,000	1898 w		
1012 10	10.00	1815 w	1825 w	
	1642 s, b	10,10.00	1020 00000	$\delta$ (HOH)
1632 m	1631 m, sh		1633 w	combination bands of pyridine
1598 vs.	1617 s	1610 vs	1606 vs	$\nu_{14}$ $B_{1}$
1588 vs	1605 vs	1601 s, sh	1598 m, sh	$v_{8a}$ $A_1$ Symmetry and in plane
1582 vs	1596 m, sh	1001 3, 312	1000 111, 011	$v_{8b}$ $B_{i}$ ring vibrations
1560 w	1561 s	1568 s	1573 m	v(CC) and $v(CN)$
1484 vs	1483 vs	1484 vs	1480 vs	
1404 VS		1475 s, sh	1473 w, sh	$v_{19a}$ $A_1$
1440 vs	1476 vs, sh 1447 vs	1479 s, sh 1459 vs	1473 w, sh	$v_{19h}$ $B_1$
		1394 vw	1392 vw	
1375 m	1384 w 1353 s	1353 s	1351 m	
1357 w	1233 s	1247 vs	1331 m 1241 m	$v_{6a} + v_{10b}$ $v(CC)$ and $v(CN)$
	1255 s 1223 s	1241 03	1241 //6	
1910	1218 vs	1210 vs	1205 vs	$v_{9a}$ $A_1$
1218 vs	1163 m	1210 03	1205 05	$v_{9a}$ $A_1$
1148 vs	1105 m 1149 s	1152 s	1142 s	$v_{15}$ $B_1$ (CH) deform.
1140 08	1096 w	1094 w	1142 3	$v_{15}$ $B_1$ (CH) deform.
		1094 W		
1070 vs	1075 s, sh 1069 vs	1067 vs	1068 vs	
1070 08	1063 vs	1007 03	1000 03	$v_{17a}$ $A_2$
1033 vs	1051 s	1050 s	1048 s	$v_{12}$ $A_1$ Sym. ring pyridine vibr.
1055 08	1031 s 1048 s	1030 s 1017 vs	1040.2	$v_{12}$ $A_1$ Sym. ring pyridine vibr.
002	1040 s 1012 s	1012 s, sh	1015 m	$v_1$ $A_1$ Sym. ring pyridine vibr.
992 vs	1012 8	1012 s, sn 1005 m	1015 111	$v_1$ $A_1$ Sym. ring pyridine vibr.
		971 vs, b	949 s	v(Re = 0)
945 w	956 m		938 m	
940 W		943 vs		$v_5$ $B_2$ Antisym. out of plane (CH) vibration band of pyridine
995	912 w	923 w 860 m	920 w 864 m	
885 w	883 m	000 //1		$v_{18a}$ $A_1$ Sym. (CH) deform. $v_{as}(\text{ReO}_2)$
749	822 vvs, b	750	803 vw	
748 vs	785 vs	759 vs	761 vs	$v_4$ $B_2$ Antisym. out of plane ring vib
700	770 vs	700	710)	P ) Antiques
700 vs	704 vs	$700 \ w$	710	$v_{11}$ $B_2$ Antisym. out of plane and in plan
676	693 vs	682 vs, b	t vvs	$B_1$ ring vibr. $+v_{as}(\text{ReORe})$ in last
676 m, sh	665 vw, sh	669 m, sh	675) vb	$v_{6b}$ $B_1$ ) case,

Table XI (continued)

ру	[ReO <sub>2</sub> py <sub>4</sub> ]Cl	[ReOCl <sub>3</sub> py <sub>2</sub> ]	$[\mathrm{Re}_2\mathrm{O}_3py_4\mathrm{Cl}_4]$	* *	Assignment
603 vs	473 m	651 vs 648 vs	649 m	$v_{6a}$ $A_1$	
407 vs, b	466 m 397 w	455 vs	457 s	$\left. \left. \left. \left. \left. \right. \right. \right. \right. \right. \right\} \left. \left. \left. \left. \left. \left. \right. \right. \right. \right. \right\} \left. \left. \left. \left. \left. \left. \right. \right. \right. \right\} \right. \right. \right. \right. \right. $	Ring pyridine vibr.
	354 m, b	330 vs	328 s	$\int v_{16b} B_1 \int$	
	_	321 vvs	310 vvs		v(ReCl)
	286 s	298 s, sh	304 s, sh	)	
	277 s, sh	271 s	272 s	. }	ν(ReN) and δ(NReN)
		263 s		j	
	230 s	235 m	234 m	ì	SOD ON SOD ON SOATE AT
	220 s	214 m	220 m	}	$\delta$ (OReO), $\delta$ (OReCl), $\delta$ (NReN)

- over the 1130-1150 cm<sup>-1</sup> region  $\omega(NH_2)$  the cis-isomers exhibit two bands while the trans-compound only one [76];
- over the 870–900 cm<sup>-1</sup> region  $-\varrho(\text{CH}_2)$  the cis-isomers exhibit a medium intensity doublet while the trans-compounds shows a single band [75, 77];
- —the cis-isomers exhibit four bands over the region 400-600 cm<sup>-1</sup> while the trans compounds have two or three bands [78].

On the basis of these criteria the compounds examined by us may be found to possess a trans configuration, although in some cases splitting of certain bands is observed, due to the crystal effect, and a lowering of symmetry. The 1550–1600 cm<sup>-1</sup> band splitting in  $[\text{Re}_2\text{O}_3en_2\text{Cl}_4]$  and the doublets over the 870–900 cm<sup>-1</sup> region for the compounds of lower symmetry are particularly typical. The compound  $[\text{ReO}_2en_2]\text{Cl}$  exhibits a broad band with a characteristic doublet structure at about 820 cm<sup>-1</sup>. This band is formed by overlapping of  $v_{as}(\text{ReO}_2)$  and  $\varrho(\text{CH}_2)$ . The deformation vibration of the ReO<sub>2</sub> group,  $\delta(\text{OReO})$ , is observed at 215 cm<sup>-1</sup>.

The spectra of similar compounds of rhenium with pyridine are shown in Table XI. As previously, the table comprises the spectra of all compounds and also for comparison the pyridine spectrum.

The assignment of bands resulting from pyridine was based on papers published by Wilmshurst, Bernstein [79] and Kline, Turkevich [80]. The spectral characteristic, shifts and band intensities of the pyridine ligand agree with those observed by Greenwood [81] and Gill [82] for complexed pyridine. The spectrum of  $[\text{ReO}_2\text{py}_4]\text{Cl}$  exhibits a broad, strong band at 822 cm<sup>-1</sup> which results from  $v_{as}(\text{ReO}_2)$ . The absence of any band at about 890 cm<sup>-1</sup>, corresponding to  $v_s(\text{ReO}_2)$ , is evidence of a trans configuration of the OReO group and  $D_{4h}$  symmetry. This spectrum exhibits two strong absorption peaks at about 225 cm<sup>-1</sup>. The 220 cm<sup>-1</sup> band is most probably due to the deformation vibrations of the ReO<sub>2</sub> group, while the band at 230 cm<sup>-1</sup> is related to the  $\delta(\text{NReN})$  frequency.

The next group of complex compounds of a  $MO_2L_4$  type which have been investigated in the present work are the osmium compounds. Their spectra together with assignments are presented in Table XII.

All the osmium compounds examined by us over the 799–843 cm<sup>-1</sup> region have a very strong band due to the asymmetric stretch of the OOsO system belonging to the  $A_{2u}$  species. Meanwhile, almost all complexes do not exhibit any  $v_s(OsO_2) - A_{1g}$  bands at about 890 cm<sup>-1</sup>. This is evidence of a trans configuration of the OsO<sub>2</sub> group oxygens and  $D_{4h}$  symmetry. The compounds, which are recorded in the table as  $K_2[OsO_2(OH)_2(NO_2)_2]$  and  $K_2[OsO_2(OH)_2(C_2O_4)]$ , for which the symmetric stretching vibrations  $v_s(OsO_2)$  become active, yielding the bands of medium intensity at 899 and 905 cm<sup>-1</sup>, respectively, are exceptions. For the first compound, the band at about 800 cm<sup>-1</sup> has a doublet structure consisting of a strong absorption peak at 799 cm<sup>-1</sup> and a shoulder at 820 cm<sup>-1</sup>. Besides this, two new bands appear which are not exhibited by the nitrite complex  $K_2[OsO_2(NO_2)_4]$ . These bands occur at 530 and 245 cm<sup>-1</sup>. Similar results have been obtained for the oxalate compound (Table XII). Atovmyan has suggested [83] that the osmium compounds reported by Wintrebert [34] as  $[OsO_3X_2]^-$  or  $[OsO_2(OH)_2X_2]^-$  are binuclear complexes with

a double  $\mu\mu'$ -oxy bridge. Such M M system with  $D_{2h}(V_h)$  symmetry should be expected

to exhibit three infra-red bands belonging to the species  $B_{1u}$ ,  $B_{2u}$ ,  $B_{3u}$  which appear in the regions where the osmium compounds exhibit new bands [84]. To these complexes most probably the formulae should be assigned:  $K_4[Os_2O_6(NO_2)_4]$  and  $K_4[Os_2O_6(C_2O_4)_2]$ . Meanwhile, during the  $\mu\mu'$ -oxy bridge formulation, the linear trans bond OOsO becomes bent, what results in activation of the  $\nu_s(OsO_2)$  vibrations.

The assignment of bands resulting from complex ligands  $[\nu_1, \nu_2, etc., \text{ for } C_2O_4^-, NO_2^-, NH_3, etc.]$  was made on the basis of results reported by Nakamoto [71].

The deformation  $\delta(\text{OsO}_2)$  vibrations belonging to the  $E_u$  species absorb over the 270–310 cm<sup>-1</sup> range.

The last of the three heavy elements examined by us — ruthenium, also forms several compounds where the  $RuO_2$  group appears. The spectra of these compounds are shown in Table XIII. For comparison, the spectra of several hydroxy complexes of ruthenium are shown in this table. The  $\nu(M-OH)$  vibrations will be discussed later.

Similarly as in osmium and ruthenium compounds, the spectra of ruthenium oxycomplexes (Table XIII) only exhibit bands resulting from the asymmetric  $\nu_{as}(\mathrm{RuO_2})$  vibrations, what suggests the trans configuration of the ruthenium di-oxy compounds. The deformation vibrations of the ORuO group absorb over the frequency range corresponding to the  $\delta(\mathrm{OOsO})$  frequencies, that is 295–309 cm<sup>-1</sup>. The complex [RuO<sub>2</sub>(OH)<sub>2</sub>(NH<sub>3</sub>)<sub>2</sub>] probably has a binuclear structure with a  $\mu\mu'$ -oxy bridge. It should be then formulated as [Ru<sub>2</sub>O<sub>6</sub>(NH<sub>3</sub>)<sub>4</sub>], like the osmium compounds discussed previously. Such a formulation is indicated by the absence

of the  $\delta(\text{RuOH})$  and  $\nu(\text{OH})$  bands. On the other hand, the bands related to the Ru 0

group vibrations appear in turn at 830(B<sub>3u</sub>), 490(B<sub>2u</sub>) and 200(B<sub>1u</sub>) cm<sup>-1</sup>. Bending of the

		δ(NOsN)	260 m	255 m	æ	815m $522m$ $468w$ $405w$ $380w$ $325m$	330m	332 m	340m
		δ(N(	26(	255	<i>v</i> <sub>5</sub>	380w	370w	820m 553m 475w 415w 375w	384w
		(N	362 m	365 m	ν <sub>11</sub>	405 w	470w 420w	415w	411w
	оно)	$\nu(0{ m sN})$	362	365	101	468w		475 w	482 w
	-00-	(02)	635 m 617 m 558 m	628 m 620 m 560 m	<i>v</i> <sub>4</sub>	522 m	552 m	553 m	550 m
	-∂(HO	$\varrho_w(\mathrm{NO_2})$	635 617 558	628 620 560	ν <sub>9</sub>		820 m		824 m
	$CI_2)E_u$ $CI_2)E_u$ $CI_2)E_u$ $CI_2)E_u$	(0	# #	<i>u u</i>	ν <sub>3</sub>	8818	885 s	8878	883 s
ands	$v - \delta(0s^{o} - \delta(0s^$	(ONO)	833 m 825 m	831 m 818 m	<i>v</i> <sub>8</sub>	1365s   1217m   881s	1360s 1212m	1355s 1215m	$1360s \ 1214m \ 883s \ 824m \ 550m \ 482w \ 411w \ 384w \ 340m$
Other bands	; 202 v ; 205 v ; 200 v ; 200 v	02)	m s	s s	22				1360s
	$\operatorname{Cl}_4 \operatorname{A}_{2u}$ $\operatorname{Cl}_4 \operatorname{A}_{2u}$ $\operatorname{Cl}_4 \operatorname{A}_{2u}$ $\vdots$	$\nu_{S}(\mathrm{NO}_{2})$	$1333\ m$ $1345\ s$	1331 s 1352 s	ν <sub>1</sub>	1689s 1660s	1685s 1665s	1691 <i>s</i> 1659 <i>s</i>	1687s 1658s
	315 $vs - v_{as}(0sCl_2)E_u$ ; 298 $m - \gamma(0sCl_4)A_{2u}$ ; 202 $vv - \delta(0sCl_2)E_u$ 312 $vs - v_{as}(0sCl_2)E_u$ ; 295 $m - \gamma(0sCl_4)A_{2u}$ ; 205 $w - \delta(0sCl_2)E_u$ 310 $vs - \nu_{as}(0sCl_2)E_u$ ; 293 $m - \delta(0sCl_4)A_{2u}$ ; 200 $w - \delta(0sCl_2)E_u$ 224 $m - \nu_{as}(0sBr_2)E_u$ 228 $m - \nu_{as}(0sBr_2)E_u$ 3280 $m - \gamma(0H)$ ; 1065 $m - \delta(0sOH)$ ; 448 $s - \nu(0s - OH)$ ; 239 $w - \delta(HO - Os - OH)$	$v_{as}(NO_2)$	1385 vs	1381 vs	7.4	1702 vs	sa 6021	1705 vs	1708 ys
1	$Cl_2 E_u$ ; 29 $Cl_2 E_u$ ; 29 $Cl_2 E_u$ ; 29 $Br_2 E_u$ $Br_3 E_u$ ); 1065 $m$ -	${}^{\nu}_{B_{1u}}$ $(0s_2^{}0_2^{})$	243 m,b		4	240 m	_ <b> </b> ,	ı	
	315 $vs - v_{as}(OsCl_2)E_u$ 312 $vs - v_{as}(OsCl_2)E_u$ 310 $vs - v_{as}(OsCl_2)E_u$ 224 $m - v_{as}(OsBr_2)E_u$ 228 $m - v_{as}(OsBr_2)E_u$ 3280 $m - v(OsBr_2)E_u$	$\begin{pmatrix} v_{B_2u} \\ (\mathrm{Os}_2\mathrm{O}_2) \end{pmatrix}$	530 w			503 m	I		
	315 v 312 v 310 v 224 n 228 n 3280	$\begin{pmatrix} v_{B3u} \\ (Os_2O_2) \end{pmatrix}$	829 m,sh			,sa 667	ı	1	
$\begin{pmatrix} v_s \\ (OsO_2) \\ A_{1g} \end{pmatrix} \delta (OsO_2) $ $E_u$	309 s 304 vs 307 s 292 s 290 s 297 s		288 w	285 m		303 m	292 m	288 m	290'm
ν <sub>s</sub> (OsO <sub>2</sub> ) Α <sub>1</sub> g			b 889 m	- 1		905 m	1	1	1
$v_{as}(\mathrm{OsO_2})$ $A_{2u}$	838 vs 841 vs 835 vs 843 vs 839 vs 804 vs		843 vs, b	841 <i>vs</i>		820 s, sh	839 s	834 vs	837 vs
Compound	K <sub>2</sub> [OsO <sub>2</sub> Cl <sub>4</sub> ] (NH <sub>4</sub> ) <sub>2</sub> [OsO <sub>2</sub> Cl <sub>4</sub> ] G <sub>2</sub> [OsO <sub>2</sub> Cl <sub>4</sub> ] K <sub>2</sub> [OsO <sub>2</sub> Br <sub>4</sub> ] (NH <sub>4</sub> ) <sub>2</sub> [OsO <sub>2</sub> Br <sub>4</sub> ] K <sub>2</sub> [OsO <sub>2</sub> (OH) <sub>4</sub> ]		$K_2[O_2(OH)_2(NO_2)_2]$	$\mathrm{K_2[OsO_2(NO_2)_4]}$		$K_2[OsO_2(OH)_2(C_2O_4)]$ 820 s, sh 905 m	$K_2[OsO_2(C_2O_4)_2]$	$\operatorname{Cs}_2[\operatorname{OsO}_2(\operatorname{C}_2\operatorname{O}_4)_2]$	$(NH_4)_2[OsO_2(C_2O_4)_2]$

$K_2[OsO_2(CN)_4]$	830 vs		282 s	$\frac{2145 \ vs}{2080 \ s} \ \right\} \ - \nu(\text{CN}) \ ; 465 \ m - \nu(\text{OsC}) \ ; 431 \ m - \delta(\text{OOsC}) \ ; 360 \ vs - \delta(\text{OsCN})$
$\mathrm{Cs}_2[\mathrm{OsO}_2(\mathrm{CN})_4]$	836 vs		279 m,b	2138 vs $\rightarrow \nu(\text{CN})$ ; 449 $m-\nu(\text{OsC})$ ; 425 $m-\delta(\text{OOsC})$ ; 365 vs $-\delta(\text{OsCN})$
$Ag_2[OsO_2(CN)_4]$	832 vs	1	275 m,b	$2141 \ vs \\ 2075 \ s, sh \ \Big\} - \nu(\text{CN}) \ , 458 \ m - \nu(\text{OsC}) \ ; 442 \ m - \nu(\text{OOsC}) \ ; 353 \ vs - \delta(\text{OsCN})$
$[\mathrm{OsO_2(\mathrm{NH_3})_4}]\mathrm{Cl_2}$	828 vs		271 m,b	271 m,b 3250 vs, $b-\nu({\rm NH_3})$ ; 1605 $s-\nu_d({\rm NH_3})$ ; 869 $s-\varrho_r({\rm NH_3})$ ; $420w > -\nu({\rm OsN})$ ; 255 s, $b-\delta({\rm NOsN})$
$[{\rm OsO}_2({\rm NH}_3)_4]({\rm OH})_2$	831 vs		278 m	3480 m, $b-\nu(\mathrm{OH})$ ; 3265 vs, $b-\nu(\mathrm{NH_3})$ ; 1603 $s-\nu_d(\mathrm{NH_3})$ ; 874 $s-\varrho_r(\mathrm{NH_3})$ ; 389 w $-\nu(\mathrm{OsN})$ ; 251 $s,b-\nu(\mathrm{NH_3})$ ; 389 w $-\nu(\mathrm{OsN})$ ; 251 $s,b-\nu(\mathrm{NH_3})$ ; 389 w
$[0s0_2({ m NH_3})_4]{ m SO_4}$	939 vs		285 m	3248 $vs, b-v(\mathrm{NH_3}); 1608 \ s-v_d(\mathrm{NH_3}); 1120 \ s-v_3(\mathrm{SO_4}), \ 970 \ vw-v_1(\mathrm{SO_4}); \ 878 \ s-\varrho_r(\mathrm{NH_3}); \ 625 \ s-v_4(\mathrm{SO_4}); \ 464 \ m, 393 \ w-v(\mathrm{OsN}); 260 \ m, b-\delta(\mathrm{NOsN})$

					$-v_8(SO_4)$ ; 975 $m-v_1(SO_4)$ ; 650 s, 615 s, 570 $sh-v_4(SO)_4$ ; 412 $m-v_2(SO_4)$	2);			(NRuN)	$ \nu(\mathrm{Ru} -  \nu(\mathrm{Ru} -  \delta(\mathrm{NRu}0)) $	$-NH_3$ $-NO$ $\delta(NR_uN)$	251 m 251 m 235 m, sh	633 m 271 m 228 w	325 vs   625 w   273 s   210 v. sh
					(SO)4; 412	1885 $s - \nu(\text{NO})$ ; 604 $w - \nu(\text{Ru-NO})$ ; 360 $w - \delta(\text{RuNO})$ ; 321 $s - \nu(\text{RuCl}_2)$ ;		$-\delta(NO_2);570\ w-\omega(NO_2);$	1305 sh) 818 w) 628 $m-\nu({\rm Ru-NO}); 347 \ m-\delta({\rm RuNO}); 335 \ s, 300 \ s, 271 \ s, 240 \ w-\delta({\rm NRuN})$ and $\delta({\rm ORuN})$	$(Ru -  \nu(R) )$	-NH <sub>3</sub> ) -	505 m 460 m	500 w 63.	
					$70 sh - v_4$	NO); 321		$0_2$ ); 570 $w$	0 s, 271 s,	4	Q(NH <sub>3</sub> )  -	840 m	850 m	838 m 498 w 821 m, sh 465 m
******	Other bands	2 2	24	24	s, 615 s, 5	$\nu - \delta(\text{Ru}]$			335 s, 30	3	$\left  \phi(\mathrm{NH_3}) \right  \left  \phi(\mathrm{NH_3}) \right $	1560 m 1341 w 1302 m	1550 m 1331 m 1288 m	1570 m 1850 vs 1345 w 1300 m
	Othe	${ m uCl_4})~{ m A_2}$ . ${ m uCl_4})~{ m A_2}$	$\operatorname{tuBr}_4$ ) $A$	tuBr4) A	4); 650	); 3601		$= \frac{835 \ w}{-v(\text{NO}_2); 830 \ s}$	818 w. 8uNO); 3	(	v(NO)		1835 vs	1850 vs
		$m-\gamma(R)$ $m-\gamma(R)$	$3m-\gamma(R)$	$2m-\gamma(R)$	$n-\nu_1(SO)$	(Ru-NC		-ν(N0,	7 m-ð(F		v(NH)	3250s 3128s	3245 s 3150 vs	3250s 3131s
	, Para de la casa de l	$E_u; 285$	$E_u$ ; 218	$E_u$ ; 215	4); 975 n	$04 \ w-v$	$\delta({ m ORuN})$ $\delta({ m CIRuN})$	$1400 \ w$ $1330 \ m$	1305 sh.) NO); 34	v.B	$(\mathrm{Ru}_2\mathrm{O}_2)$	200~w	1	I
Manager Control Section Sectio		325 $s-\nu_{xs}(\text{RuCl}_2)E_u$ ; 285 $m-\gamma(\text{RuCl}_4)$ A <sub>2u</sub> 318 $s-\nu_{xs}(\text{RuCl}_2)$ $E_u$ ; 281 $m-\gamma(\text{RuCl}_4)$ A <sub>2u</sub>	$250 \ s - \nu_{as}(\text{RuBr}_2) \ E_u; \ 218 \ m - \gamma(\text{RuBr}_4) \ A_{2u}$	248 $s - \nu_{as}(\text{RuBr}_2) E_u$ ; 212 $m - \gamma(\text{RuBr}_4) A_{2u}$		v(N0);	- 1/2 N	$1400 \ w$ $1872 \ vs - v(NO); \ 1330 \ m$	628 $m-\nu(\text{Ru}-$ and $\delta(\text{ORuN})$	"Ba.	$(Ru_2O_2)$	490 s	-	ı
	*	325 s—1 318 s—1	$250 s - \imath$	248 5-1	1125 m 1038s	1885 5-	230 w 208 m,		628 m and 8	у.Ва	(Ru <sub>2</sub> O <sub>2</sub> )	830 m,sh 490 s	I	ı
	и(ОН)	11	1	1		3500  w		3525 m		+		1	3450 m	3425 m
	$\begin{vmatrix} v(Ru - \\ -OH) \end{vmatrix} v(OH)$	11.	1	ı	ı	528 s		584 w				= [	574 m	581 m
	δ(RuOH)		1	I	l	919 m		958 m				I	m 026	962 m
	$\binom{\nu_{as}}{(\mathrm{RuO_2})} \left  \delta(\mathrm{RuO_2}) \right  \delta(\mathrm{RuOH}) \left  \binom{\nu(\mathrm{Ru} - 1)}{-(\mathrm{OH})} \right $	305 m $301 m$	309 m	298 m	295 m	ı						305 m	1	I
and the second second second	$\binom{\nu_{as}}{(\mathrm{RuO_2})}$	818vs,b 815vs,b	824 s,b	814 s,b	807 s,b	1		1				795 s,b	1	ſ
	Compound	$Gs_2[\mathrm{RuO}_2Cl_4]$ $Rb_2[\mathrm{RuO}_2Cl_4]$	$\mathrm{Cs_2[RuO_2Br_4]}$	$[\mathrm{As(phen)_4l_2[RuO_2Br_4]}]$	$[\mathrm{Asphen}_{4}]_{2}[\mathrm{RuO}_{2}(\mathrm{SO}_{4})_{2}]$	$Ag_2[Ru(OH)Cl_4(NO)]$		$\mathrm{K_2[Ru(OH)(NO_2)_4(NO)]}$				$[\mathrm{RuO_2(OH)_2(NH_3)_2}]^*$	$[\mathrm{Ru}(\mathrm{OH})(\mathrm{NH_3})_4(\mathrm{NO})]\mathrm{Cl}_2$	$[\mathrm{Ru}(\mathrm{OH})(\mathrm{NH_3})_4(\mathrm{NO})]\mathrm{Br_2}$

\*In this case activites symmetric vibrations  $v_{\rm s}({\rm RuO_2})$ : 820 m, sh.

linear ORuO bond in this compound activates the symmetric  $v_s(RuO_2)$  vibration which appears at about 795 cm<sup>-1</sup>.

Assuming the model of metal-oxygen interactions suggested for the vanadyl [85] and osmyl [86] complexes, it is possible to explain theoretically the appearence of the trans configuration in the dioxy-compounds of rhenium, osmium and ruthenium examined by us. We shall consider only the " $p_{\pi}-d_{\pi}$ " overlap (2p orbitals of oxygen with free d orbitals of metal) since mainly these orbitals determine the arrangement of the oxygen atoms. The positions of ligands will be defined by the cartesian coordinates and then:

Positions of the oxygen

TABLE XIV

Symmetry	01	Overlap	O <sub>2</sub>	Overlap
$C_{2v}$	$\mathcal{O}_x$	$\begin{array}{c} 2p_{y}-d_{xy} \\ 2p_{z}-d_{xz} \end{array}$	O <sub>y</sub>	$\begin{array}{c} 2p_x-d_{xy} \\ 2p_z-d_{yz} \end{array}$
$D_{4h}$	$O_x^1$	$\begin{array}{c} 2p_{y}-d_{xy} \\ 2p_{z}-d_{xz} \end{array}$	$O_x^2$	$ \begin{array}{c c} 2p_y - d_{xy} \\ 2p_z - d_{xz} \end{array} $

If the oxygen atoms are in trans positions along the x axis, then the  $d_{xy}$  and  $d_{xz}$  orbitals will participate in the  $\pi$  bonding from the part of the metal. The  $d_{yz}$  orbital will be non-bonding for this symmetry. Next, for a cis configuration of the oxygens all three  $d_{\pi}$  orbitals of the metal participate in the bonding with the oxygen atom. Therefore, the  $d^2$  electron metals (osmium-VI, rhenium-V and ruthenium-VI) form complex compounds of  $D_{4h}$  symmetry, since both  $d_{\pi}$  electrons can be placed in the non-bonding  $d_{yz}$  orbital which is advantageous for energy reasons. The  $C_{2v}$  symmetry is instead characteristic of the  $d^0$  configuration, where both oxygens are in the cis position. With such symmetry all  $d_{\pi}$  orbitals participate in the  $\pi$  bonding with the oxygen atoms and, therefore, the total  $\pi$  bonding effect is higher than that for the trans structure of the complex. This results from the higher  $v(MO_2)$  frequencies for the cis compounds with respect to those for the trans-isomers.

# C. The [MO(OH)L4] type compounds and hydroxy-compounds

Generally speaking, the hydroxy-compounds have three absorption ranges:  $\nu(OH)$  3200 – 3500 cm<sup>-1</sup>,  $\delta(MOH)$  800–1200 cm<sup>-1</sup> and  $\nu(M-OH)$  400–600 cm<sup>-1</sup>.

The only rhenium hydroxy-complexes examined by us are those with ethylenediamine (Table X). Absorption resulting from the  $\nu(OH)$  vibrations takes place at 3400–3450 cm<sup>-1</sup>. Complexed ethylenediamine has two weak bands of equal intensities over the 550–600 cm<sup>-1</sup> region. Overlapping of these bands with the  $\nu(Re-OH)$  band results in strengthening of the band at higher frequencies. The  $\nu(Re-OH)$  frequency corresponds to the stretching vibration of the rhenium-oxygen bonding of a bond order 1. Ethylenediamine gives several bands over the 1000–1100 cm<sup>-1</sup> region, and it was impossible to determine which of these bands is due to the deformation vibrations  $\delta(ReOH)$ .

The  $\nu(\text{Re}=0)$  frequency for  $[\text{ReO(OH)en_2}]\text{Cl}_2$  is at 981 cm<sup>-1</sup>. The deformation  $\delta(\text{HO}-\text{Re}-\text{OH})$  frequency appears most probably at 220 cm<sup>-1</sup>.

Analysis of spectral bands exhibited by osmium hydroxy-compound is less difficult (Table XII). The hydroxyl group vibrations absorb at frequencies  $\nu(\text{Os-OH})$  448,  $\delta(\text{OsOH})$  1065 and  $\delta(\text{HO-Os-OH})$  239 cm<sup>-1</sup>.

Comparable data were obtained for the ruthenium hydroxy-compounds (Table XIII). The stretching vibration of a single ruthenium-oxygen bond absorbs at somewhat higher frequencies than the osmium compounds, namely at 528–584 cm<sup>-1</sup>. The deformation  $\delta(\text{RuOH})$  vibrations give the bands in the 919–970 cm<sup>-1</sup> region.

The band assignment for nitrosyl and amino groups in the ruthenium hydroxy-compounds (Table XIII) was made on the basis of the results reported by Mercer [87], Gans [88], Allen [89, 90] et al.

### D. The MOL3X2 type compounds

This type of compounds will be discussed for the rhenium compounds only. Osmium and ruthenium do not form any complexes of such structure. According to Table V, the compounds [ReOCl<sub>3</sub>X<sub>2</sub>] should exhibit a single  $\nu(\text{Re=O})$  band and triplets  $\nu(\text{ReCl})$  both for  $C_{2\nu}$  and  $C_s$  symmetry. The spectra obtained by us (Tables X and XI) contain the bands corresponding to the stretching  $\nu(\text{Re=O})$  vibrations at 971 cm<sup>-1</sup> for the pyridine complex and at 970 cm<sup>-1</sup> for the ethylenediamine compound. In both cases a very complex spectral structure is observed in the 270–330 cm<sup>-1</sup> region, where the  $\nu(\text{ReCl})$  vibrations occur. This structure results from overlapping of  $\nu(\text{ReCl})$  with  $\nu(\text{ReN})$  and  $\delta(\text{NReN})$ .

## E. The MO<sub>3</sub>L<sub>3</sub> type compounds

Only two compounds of this type been examined by us: Cs<sub>2</sub>[ReO<sub>3</sub>Cl<sub>3</sub>] and Cs[OsO<sub>3</sub>F<sub>3</sub>]. For such systems the following table of normal frequencies may be set up:

Normal vibrations of the MO<sub>3</sub> L<sub>3</sub> system

TABLE XV

Isomer	Sym- metry	Species	Act	ivity	Number of	Type of normal vibration	stretchin	ber of ng vibra- s in IR
	metry		IR	Ra	bands		v(MO)	v(ML)
cis	C <sub>3v</sub>	A <sub>1</sub>	a	p	4	$\nu_s(\text{MO}_3), \ \delta_s(\text{MO}_3), \ \nu_s(\text{ML}_3), \ \delta_s(\text{ML}_3)$	1	1
		$A_2$	ia	f	1	$\delta(\text{LMO})$	-	
		E	a	p	5	$ \nu_{as}(\text{MO}_3), \ \delta_{as}(\text{MO}_3), \ \nu_{as}(\text{ML}_3), \\ \delta_{as}(\text{ML}_3), \ \delta(\text{LMO}) $	1	1_
trans	$C_{2v}$	$A_1$	a	p	6	$v_s(\text{MO}_2), \ \delta(\text{MO}_2), \ v(\text{MO}), \ v_s(\text{ML}_2), \ \delta(\text{ML}_2), \ v(\text{ML})$	2	2
		$A_2$	ia	dp	1	$\delta({ m LMO})$		_
		$B_1$	a	dp	4	$\nu_{as}(\mathrm{MO_2}),  \delta(\mathrm{MO_2}),  \gamma(\mathrm{ML_2}), \\ \delta(\mathrm{LMO})$	1	0
		$B_2$	a	dp	4	$v_{as}(\mathrm{ML_2}),\ \delta(\mathrm{ML_2}),\ \gamma(\mathrm{MO_2}), \ \delta(\mathrm{LMO})$	0	1

a - active, ia - inactive, p - polarized, dp - depolarized, f - forbidden transitions.

According to this table, the cis compound with  $C_{3v}$  symmetry should exhibit two stretching frequencies, metal-oxygen and metal-chlorine, while the trans compounds with  $C_{2v}$  symmetry exhibit three bands each. The spectra of these compounds together with their assignments are given in Table XVI.

TABLE XVI

$\mathrm{Cs_2[ReO_3Cl_3]}$	$Cs[OsO_3F_3]$	Vibrational mode	Species of vibration
935 s 890 vs, b 370 s 330 m 321 vs 315 m, sh 220 vs	952 s, b 915 vs, b 578 s 469 s 348 m 315 m 215 w	$\begin{array}{c} \nu_s(\mathrm{MO_3}) \\ \nu_{as}(\mathrm{MO_3}) \\ \nu_s(\mathrm{ML_3}) \\ \nu_s(\mathrm{ML_3}) \\ \delta(\mathrm{MO_3}) \\ \delta_{as}(\mathrm{MO_3}) \\ \delta(\mathrm{LMO}) \end{array}$	$egin{array}{c} A_1 \ E \ A_1 \ E \ A_1 \ E \ E \ E \ E \end{array}$

A comparison of Tables XV and XVI may suggest cis configuration of the rhenium compound and  $C_{3v}$  symmetry, since the band at 890 cm<sup>-1</sup>, very strong and broad, is a clear doublet.  $C_{3v}$  symmetry is also indicated by the number of bands resulting from the rhenium-chlorine stretching frequencies. In order to obtain a full analysis and to confirm this structure a Raman spectrum is required, however. The two bands found in the 215–225 cm<sup>-1</sup> region are due to the deformation frequencies of the ReO<sub>3</sub> group.

The osmium compound is also likely to have  $C_{3v}$  symmetry. Its spectrum agrees with the characteristic of normal vibrations for the cis system  $MO_3L_3$  given in Table XV.

It seems, then, that the cis-structure of the trioxy compounds is characteristic of transition metals with a  $d^{\circ}$  electron configuration in the complex. This becomes evident if the positions of oxygens with respect to the metal and the overlap of  $d_{\pi}$ -metal and  $p_{\pi}$ -oxygen orbitals (Table XVII) are defined.

Positions of the oxygen

TABLE XVII

Symmetry	01	Overlap	O <sub>2</sub>	Overlap	O <sub>3</sub>	Overlap
$C_{3v}$	O <sub>x</sub>	$\begin{array}{c} 2p_y - d_{xy} \\ 2p_z - d_{xz} \end{array}$	O <sub>y</sub>	$\begin{array}{c} 2p_x - d_{xy} \\ 2p_z - d_{yz} \end{array}$	$O_z$	$\begin{array}{c} 2p_x - d_{xx} \\ 2p_y - d_{yx} \end{array}$
$C_{2v}$	$O_x^1$	$\begin{array}{c} 2p_{y}-d_{xy}\\ 2p_{z}-d_{xz} \end{array}$	$O_x^2$	$\begin{array}{c} 2p_{y}-d_{xy} \\ 2p_{z}-d_{xz} \end{array}$	O <sub>y</sub>	$\begin{array}{c} 2p_x - d_{xz} \\ 2p_z - d_{yz} \end{array}$

In the complexes of  $C_{2v}$  symmetry three  $d_{\pi}$  orbitals do not participate equally in the  $\pi$  bonding with oxyligands. The  $d_{xy}$  orbital participates in the bonding with three ligands, the  $d_{xz}$  orbital with two ligands and the  $d_{yz}$  orbital with only one ligand. Hence, the latter orbital will be least antibonding, and its filling with one or two electrons will be energetically more advantageous than for  $C_{3v}$  symmetry, where the antibonding effect is higher. For  $C_{3v}$ 

symmetry the bonding contributions of  $d_{\pi}$  orbitals are equal and are better utilized. Therefore, this symmetry is more convenient for the central ions of the  $d^{\circ}$  configuration (Re-VII and Os-VIII). We have observed this in the rhenium (VII) and osmium (VIII) compounds which have  $C_{3n}$  symmetry.

### F. Binuclear compounds

Rhenium, ruthenium and osmium readily form binuclear compounds in which oxygen forms a bridge bonding MOM between the metal atoms. The dimeric rhenium-IV and V complexes as well as osmium-IV and ruthenium-IV complexes are particularly stable. Oxidation state IV of rhenium is represented in our work by potassium and caesium oxychlorhenates and the compound  $K_6[Re_2O_3(CN)_8]$ .  $4H_2O$ . The spectra of these compounds together with their assignments are shown in Tables XVIII and XIX.

TABLE XVIII

$ m K_6[Re_2O_3(CN)_8].4H_2O$	Assignment
3450 m, vb 2125 s 2080 s, b 1620 m	ν(ΟΗ) ν(CN) δ(ΗΟΗ)
912 s 784 s 752 s 474 vs 462 s 335 s 252 m 200 vw	$ u(\text{Re=O}) $ $ v_{as}(\text{ReO}_2) $ $ v_{as}(\text{ReORe}) $ $ u(\text{ReC}) $ $ \delta(\text{OReC}) $ $ \delta(\text{ReCN}) $ $ \delta(0_t \text{ReO}_b) $ $ v_s(\text{ReORe}) $

L' denotes a ligand in the trans-position with respect to the bridging oxygen. The notation in table refers to the isolated  $MO_bL_5$  groups of  $C_{4v}$  symmetry ( $O_b$  — bridge oxygen) and MOM of  $D_{\infty h}$  symmetry.

Rhenium-V of a  $d^2$  electron configuration appears in binuclear compounds with ethylenediamine (Table X) and pyridine (Table XI) of formulae [Re<sub>2</sub>O<sub>3</sub>en<sub>2</sub>Cl<sub>4</sub>] and [Re<sub>2</sub>O<sub>3</sub>py<sub>4</sub>Cl<sub>4</sub>].

Considering the  $[L_5MOML_5]^x$  type binuclear compounds as a "three-body" system, one should expect the vibrational spectra to exhibit three frequencies:  $v_{as}(MOM)$ ,  $v_s(MOM)$  and  $\delta(MOM)$ . In the angular bridge MOM of  $C_{2v}$  symmetry all three frequencies are both IR and Raman active. The symmetric stretching bridge vibrations absorb in the 400–550 cm<sup>-1</sup> region, similarly as the compounds of chromium [91, 92], tin, germanium [93], arsenic and antimony [84]. Since no new bands have been observed to form over this region, this suggests a linear structure of the rhenium compounds examined by us. According to the selection rules, the linear nucleus MOM should exhibit only the asymmetric stretching frequencies, while  $v_s(MOM)$  is only Raman active, giving the bands at about 200–250 cm<sup>-1</sup>. Owing, to some crystal effects however, this vibration becomes sometimes infrared active.

TABLE XIX

Compound	Cation	$\begin{array}{c} v_{as} \text{ (MOM)} \\ \sum_{u}^{+} (D_{\infty h}) \end{array}$	$\begin{array}{ c c }\hline \nu_s(\text{MOM})\\ \sum_g^+(D_{\infty h}) \end{array}$	$\delta(\text{LMO})$ $E(C_{4v})$	ν(OH)	δ(НОН)	Other bands
Re <sub>2</sub> OCl <sub>10</sub> 4-	K	855 s	200 vw	210 w			326 $s, sh - \nu_{as}(\text{ReCl}_4);$ 315 $vs, b - \nu_{s}(\text{ReCl}_4);$ 305 $vs, b - \nu_{as}(\text{ReCl}')$
1020 0310	Cs	851 s	202 vw	210 w			322 s, $sh-\nu_{as}(\text{ReCl}_4)$ ; 310 vs, $b-\nu_s(\text{ReCl}_4)$ and $\nu_{as}(\text{ReCl}')$
O- OCI 4-	NH <sub>4</sub>	845 m		220 w	3580 m	1625 m	310 $vs - v_{as}(\text{OsCl}_4)$ ; 304 $s - v_{s}(\text{OsCl}_4)$ ; 273 $w - v_{as}(\text{OsCl}')$
Os <sub>2</sub> OCl <sub>10</sub> 4-	Y	838 m		225 w	3620 m	1638 m	319 $vs - v_{as}(OsCl_4)$ ; 309 $s - v_{s}(OsCl_4)$ ; 281 $w - v_{as}(OsCl'_4)$
O OR 4-	Cs	843 m		n.o.	3550 m	1620 m	$205 s - v_{as}(\mathrm{OsBr_4})$
Os <sub>2</sub> OBr <sub>10</sub> 4-	Y	845 m	_	n.o.	3480 m	1609 m	$200 s - v_{as}(\mathrm{OsBr_4})$
0.01.4-	Cs	835 m	_	n.o.	3520 m	1600 w	1 1 1 1
Os <sub>2</sub> OI <sub>10</sub> 4-	Y.	841 m	- ,	n.o.	3545 m	1605 m	
0.001714	Cs	848 m	205 w	210 w	3578 m	1630 m	$\begin{array}{c} 310 \ s{-}\nu_{as}(\mathrm{OsCl_4}); 225 \ s{-}\\ -\nu_{as}(\mathrm{OsBr_2}); \ 292 \ s{-}\nu_{s}(\mathrm{OsCl_4})\\ 270 \ w{-}\nu_{as}(\mathrm{OsCl'}) \end{array}$
Os <sub>2</sub> OCl <sub>6</sub> Br <sub>4</sub> <sup>4</sup>	Y	846 m	204 w	215 m,sh	3600 m	1628 m	$\begin{array}{ll} 315 \; s{-}\nu_{as}({\rm OsCl_4}); & 290 \; {\mathfrak s}{-} \\ -\nu_s({\rm OsCl_4}); 275 \; w{-}\nu_{as}({\rm OsCl'}) \\ 225 \; s{-}\nu_{as}({\rm OsBr_2}) \end{array}$
0- 00 14-	Cs	832 m	215 m,sh	225 m	3575 m	1630 m	318 $s - \nu_{as}(\operatorname{OsCl_4});$ 295 $m - \nu_{s}(\operatorname{OsCl_4})$
Os <sub>2</sub> OCl <sub>8</sub> I <sub>2</sub> <sup>4-</sup>	Y	830 m	213 m	225 m	3520 m	1630 m	321 $s-\nu_{as}(\operatorname{OsCl_4})$ ; 298 $w-\nu_{s}(\operatorname{OsCl_4})$
D., OCL 4-	K	885 s	<del>-</del>	n.o.	3480 m	1615 m	324 $vs - v_s$ and $v_{as}(\text{RuCl}_4)$ ; 289 $w - v_{as}(\text{RuCl}';$ 463 $m - 2v_{as}(\text{RuORu})$
Ru <sub>2</sub> OCl <sub>10</sub> 4~	Y	880 s	-\.	n.o.	3440 m	1612 m	322 vs, $b-v_s$ and $v_{as}(\text{RuCl}_4)$ ; 290 $w-v_{as}(\text{RuCl}')$ ; 465 $m-2v_s(\text{RuORu})$
	K	858 s	_	n.o.	3480 m	1635 m	248 $m-v_s$ and $v_{as}(RuBr_4)$
Ru <sub>2</sub> OBr <sub>10</sub> 4-	Y	861 s		n.o.	3510 m	1640 m	$250 m - v_s$ and $v_{as}(\text{RuBr}_4)$
Ru <sub>2</sub> OCl <sub>8</sub> Br <sub>2</sub> <sup>4-</sup>	Y	852 m	245 m, b	240 w, sh	3542 m	1642 m	334 $vs-\nu_{as}$ and $\nu_s(RuCl_4)$ ; 250 $m-\nu(RuBr')$ ; 278 $w-\nu_{as}(RuCl_2)$

where:  $Y = [As(phen)_4]$ ; L' - ligand in trans position to the bridged oxygen atom.

This happens for some rhenium, osmium and ruthenium compounds (Table XIX), especially if the symmetry is disturbed by introducing another halogen ligand. A difference of about 120 cm<sup>-1</sup> in the position of the  $\nu_{as}(\text{ReORe})$  band in the cyanide (Table XVIII), pyridine (Table XI) and ethylenediamine (Table X) complexes with respect to other dimeric rhenium compounds (Table XIX) is anticipated and confirms the existence of the so called "electron-withdrawing" effect [2], consisting in a weakening of the bridge bonding ReORe in the linear system O-Re-O-Re-O. Owing to the electron attraction, a stretching action of the outer oxygens appears which leads to a decrease in the  $\nu_{as}(\text{ReORe})$  frequency with respect to the  $\mu$ -oxychlororhenates and binuclear thiocyanide rhenium compounds [94]. Meanwhile, the above compounds with abnormal  $\nu_{as}(\text{ReORe})$  frequency exhibit a decrease in frequency and intensity of the  $\nu(\text{Re} = O_t)$  vibration  $(O_t$ —terminal oxygen).

The vibrational spectra of binuclear osmium-IV and ruthenium-IV compounds also suggest that the MOM bridge has a linear arrangement and  $D_{\infty h}$  symmetry, what confirms the results of structural X-ray analysis made earlier for the ruthenium compound [95]. The frequency ranges of asymmetric stretching vibrations of the bridge oxygen bonding (830–885 cm<sup>-1</sup>) correspond to the frequencies given for rhenium compounds. Several dimeric compounds of osmium and ruthenium exhibit activation of their infra-red forbidden frequencies  $\nu_s(\text{MOM})$  over the 200–250 cm<sup>-1</sup> region. This happens for the compounds of a general formula  $[\text{M}_2\text{OL}_2'\text{L}_{10-z}']^{4-}$  which have their symmetry disturbed by introducing a second halogen into the complex.

The deformation  $\delta(MOM)$  frequencies have not been observed by us since they are beyond the range of our instrument (below 200 cm<sup>-1</sup>).

### Force constants of the metal-oxygen bonds

On the basis of the above considerations one can compile the results related to the metal-oxygen bond frequency ranges (Table XX).

TABLE XX

Vibrational mode	$M = \mathrm{Re}$	M = Os	$M = \mathrm{Ru}$
ν(M=O)	912–995	952960	
$\nu_s(\mathrm{MO_2})$	890-912	889-905	
$\nu_{as}(\mathrm{MO_2})$	775-835	799-843	795-824
ν(M-OH)	550-570	448-503	528-584
$\delta(MO_2)$	220-260	271–309	295–309
$\nu_{as}^{\sim}(MOM)$	720-855	830–848	852–885
$\nu_{\rm s}({ m MOM})$	200-205	204–215	~235

From among the systems in the present work, the normal coordinate analysis was made till now for the molecules  $MOL_5$  [67]  $(C_{4v})$ ,  $MO_2L_4$   $(C_{2v}$  and  $D_{4h})$  [97] and  $MO_nL_{4-n}$  ( $T_d$ [24],  $C_{3v}$  [96]). The normal coordinates are functions (sometimes complex ones) which comprise

the displacement coordinates of many or all atoms in the molecule. Both the kinetic and potential energies expressed in these  $Q_i$  coordinates contain only the square terms:

$$2T = \sum_{i=1}^{3n-6} \dot{Q}_i^2$$

$$2V = \sum_{i=1}^{3n-6} \lambda_i Q_i^2.$$

The frequency of the normal vibration is determined by the kinetic and potential energies of the system. The kinetic energy is determined by the masses of the individual atoms and their geometrical arrangement in the molecule. On the other hand, the potential energy arises from interaction between the individual atoms and is described in terms of the force constants. Since the potential energy provides valuable information about the nature of interatomic forces, it is highly desirable to obtain the force constants from the observed frequencies.

Using the internal coordinates R, for a molecule, the potential energy is written:

$$2V = [\tilde{R}] [F] [R]$$

where [F] is a matrix whose components are the force constants. The kinetic energy in terms of the same internal coordinates can be written as

$$2T = [\tilde{R}] [G^{-1}] [R]$$

where [G] is a matrix determined by the masses of the atoms and the geometry of the molecule.

If these two equations are combined with Newton's equation,

$$\frac{d}{dt} \left( \frac{\partial T}{\partial R_k} \right) + \frac{\partial V}{\partial R_k} = 0$$

the following secular equation is obtained:

$$|[G][F]-[E]\lambda|=0.$$

Here, [E] is the unit matrix and  $\lambda$  is related to the wave number  $\tilde{\nu}$  by the relation  $\lambda = 4\pi^2c^2\tilde{\nu}^2$ . Such an analysis was made for the molecules described above. Since in most cases no X-ray data for the compounds studied by us are available, the force constants of the metal-oxygen bonds may be only approximately calculated. The secular equation usually has a block form in which each block is related to a definite species and a definite bonding. Moreover, almost the entire value of the stretching force constant and stretch-stretch interaction force constant is concentrated in the diagonal matrix terms. Hence, by selecting the corresponding terms of matrices [G] and [F] we have obtained a very good approximation for calculation of force constants  $f_r$  and  $f_{rr}$  in the molecules  $\text{MOL}_5$ ,  $\text{MO}_2\text{L}_4$  and  $\text{MO}_n\text{L}_{4-n}$ . For other types of compounds the corresponding equations for the [G] and [F] matrix elements have been derived "per analogiam", taking into account their similar symmetries and arrangement of oxygen atoms with respect to the metal. These matrix elements introduced into the

Compound	Symmetry	Species v(MO)	Activity	Force constant equation	
$MO_4$	$T_d$	$A_1$	Ra		
		$F_2$	IR, Ra	$\lambda = \left[ \frac{4}{3} \mu_M + \mu_0 \right] (f_r - f_{rr}) \tag{24}$	
LMO <sub>3</sub>	$C_{3v}$	$A_1$	IR, Ra IR, Ra	$\lambda = [\mu_0 + \mu_M(1 + 2\cos\alpha)](f_r + 2f_{rr})$ $\lambda = [\mu_0 + \mu_M(1 - \cos\alpha)](f_r - f_{rr})$ [96]	
$ m L_2 MO_2$	. C2v	$A_{1}$ $B_{2}$	IR, Ra IR, Ra	$\lambda = [\mu_0 + \mu_M(1 + \cos \alpha)](f_r + f_{rr})$ $\lambda = [\mu_0 + \mu_M(1 - \cos \alpha)](f_r - f_{rr})$ [97]	
L <sub>3</sub> MO	$C_{3v}$	$A_1$	IR, Ra	$\lambda = (\mu_0 + \mu_M)f_r \tag{98, 99}$	
MOL <sub>5</sub>	$C_{4v}$	$A_1$	IR, Ra	$\lambda = (\mu_0 + \mu_M)f_{\tau} \tag{67}$	
$\mathrm{Cis-M0_2L_4}$	$C_{2v}$	$A_1\\B_2$	IR, Ra IR, Ra	$\lambda = (\mu_0 + \mu_M)(f_r + f_r)$ $\lambda = (\mu_0 + \mu_M)(f_r - f_r)$ [97]	74
$ m Trans-MO_2L_4$	$D_{4h}$	$A_{1g}$ $A_{2u}$	Ra IR, Ra	$\lambda = \mu_0(f_r + f_{rr}) $ $\lambda = (\mu_0 + 2\mu_M)(f_r - f_{rr}) $ [97]	
Trans-MOXL4	$C_{4v}$	$A_1$	IR, Ra	$\lambda = (\mu_0 + \mu_M)f_{\tau}$	
Cis-MO <sub>3</sub> L <sub>3</sub>	$C_{3w}$	$A_1$	IR, Ra IR, Ra	$\lambda = [\mu_0 + \mu_M(1 + 2\cos\alpha)](f_r + 2f_{rr})$ $\lambda = [\mu_0 + \mu_M(1 - \cos\alpha)](f_r - f_{rr})$	
$\rm Trans{-}MO_{3}L_{3}$	$C_{2v}$	$A_1$ $A_1$ $B_1$	IR, Ra IR, Ra IR, Ra	$\lambda = (\mu_0 + \mu_M) f_R$ $\lambda = \mu_0 (f_r + f_{rr})$ $\lambda = (\mu_0 + 2\mu_M) (f_r - f_{rr})$	

		-			
$_{ m Cis-MOX_3L_2}$	ూ	<b>V</b>	IR, Ra	$\lambda = (\mu_0 + \mu_M)f_r$	
Trans-MOX <sub>3</sub> L <sub>2</sub>	$C_{2\sigma}$	41	IR, Ra	$\lambda = (\mu_0 + \mu_M)f_{\tau}$	
Bent-MOM	$C_{2\sigma}$	$A_1$	IR, Ra	$\lambda = [\mu_M + \mu_0(1 + \cos \alpha)](f_r + f_{rr})$	6
		$B_2$	IR, Ra	$\lambda = [\mu_M + \mu_0(1 - \cos \alpha)](f_r - f_{rr})$	17 20 12
					N M Symmetrical coordinates:
Linear—MOM	$D_{\infty h}$	$\nabla^+_{s}$	Ra	$\lambda = \mu_M(f_r + f_{rr})$	$A_1: S_1 = \frac{1}{1/2} \left( A_1 + A_1 \right)$
	2	\[\alpha_{\text{r}}^+\]	IR, Ra	$\lambda = (\mu_M + 2\mu_0)(f_r - f_{rr})$	$P_2: S_2 = rac{1}{1/5} \left( Z r_1 - Z r_2  ight)$
					$V^2$ For $(D_{\infty h}) \ \alpha = 180^\circ$
0	$D_{2h}$	$A_{1g}$	Ra	$\lambda = [\mu_M(1-\cos\alpha) + \mu_0(1+\cos\alpha)] \times$	
M				$\times (f_r + f_{MOM} + f_{OMO})$	2
ò	2	$B_{1g}$	Ra	$\lambda = [\mu_M(1+\cos\alpha) + \mu_0(1-\cos\alpha)] \times \times (f_r - f_{\text{MOM}} - f_{\text{OMO}})$	73 - 8 - 8 - 8 - 8 - 8 - 8 - 8 - 8 - 8 -
		$B_{3u}$	IR	$\lambda = (1 + \cos \alpha)(\mu_M + \mu_0)(f_r + f_{\text{MOM}} - f_{\text{OMO}})$	Symmetry coord.:
		$B_{2u}$	IR	$\lambda = (1 - \cos \alpha)(\mu_M + \mu_0)(f_r - f_{MOM} + f_{OMO})$	$A_{1g}: S_1 = \frac{1}{2} (\Delta r_1 + \Delta r_2 + \Delta r_3 + \Delta r_4)$
					$B_{1g}:S_2=rac{1}{2}\;(Ar_1\!-\!Ar_2\!-\!Ar_4\!-\!Ar_4\!)$
	¥.	5			$B_{3u}: S_3 = \frac{1}{2} \left( Ar_1 + Ar_2 - Ar_3 - Ar_4 \right)$
					$B_{2u}: S_4 = \frac{1}{2} (Ar_1 - Ar_2 + Ar_3 - Ar_4)$

secular equation together with the observed frequencies enabled us to calculate the force constants of the metal-oxygen bonds. The final equations obtained by us are arranged in Table XXI.

The force constants calculated on the basis of the above equation are presented in Tables XXII—XXVI. For the pseudo-tetrahedral anions (Table XXII) the equations derived for  $T_d$  symmetry have been employed for calculations, since no X-ray data concerning the angle  $\alpha(\text{OMO})$  for all studied compounds are available.  $\mu_0$  and  $\mu_M$  are, as usual, the reciprocal atomic masses of oxygen and metal, respectively,  $f_r$  is the stretching force constant, and  $f_{rr}$  is the stretch-stretch interaction force constant. The relationship between the observed frequency  $\nu$  and wavelength  $\lambda$  is:

$$\lambda = 0.588851 \left(\frac{\nu}{1000}\right)^2.$$

The force constants calculated for trioxy-compounds of rhenium and osmium (Table XVI) of symmetry  $C_{3v}$  assume the following values:

$$\begin{split} &\text{Cs}_{\mathbf{2}}[\text{ReO}_{\mathbf{3}}\text{Cl}_{\mathbf{3}}] \quad f_{\mathbf{r}} = 6.96 \quad f_{\mathbf{rr}} = 0.31 \\ &\text{Cs}[\text{OsO}_{\mathbf{3}}\text{F}_{\mathbf{3}}] \quad f_{\mathbf{r}} = 7.47 \quad f_{\mathbf{rr}} = 0.20 \left[\frac{\text{Mdyn}}{\text{Å}}\right]. \end{split}$$

The force constant of a chemical bond is a physical measure of its strength. This value is affected both by the masses of vibrating elements and their mutual affinity. The increase

TABLE XXII

Compound	Symmetry	$v_1(A_1)$	$v_3(F_2)$	$f_r \left[ \frac{-Md}{\mathring{\mathbf{A}}} \right]$	$f_{rr} \left[ \frac{Md}{\mathring{A}} \right]$	Bond order
ReO₄	$T_d$	986	915	7.52	0.44	)
$OsO_4$	$T_d$	965	960	8.05	0.24	
RuO <sub>4</sub>	$T_d$	873	920	6.73	0.15	2.00-2.3
RuO <sub>4</sub>	$T_d$	826	850	5.82	0.20	
RuO <sub>4</sub> =	$T_d$	857	810	5.56	0.45	J

TABLE XXIII

Compound	Symmetry	$\nu(MO)-(A_1)$	$f_{m{r}} \left[ rac{Md}{ ext{\AA}}  ight]$	Bond order
$K_2[ReOCl_5]$	$C_{4v}$	993	8.36	)
$\mathbf{C}_{\mathbf{s_2}} \mathbf{ReOCl_5}$	$C_{4v}$	955	7.91	
Cs <sub>2</sub> ReOCl <sub>4</sub> F	$C_{4v}$	973	8.21	
$[ReO(OH)en_2]Cl_2$	$C_{4v}$	981	8.35	1
$ReO(OH)py_4$ $Cl_2$	$C_{4v}$	965	8.08	2.2–2.3
$[ReOCl_3en]$	$C_s$	970	8.16	
[ReOCl <sub>3</sub> py <sub>2</sub> ]	$C_s$	971	8.18	
OsOF <sub>5</sub>	$C_{4v}$	960	8.01	]

TABLE XXIV

Force constants	metal-oxygen	bonding in	$MO_2$	systems — symmetry	$D_{4h}$
	- (	Bond order	2)		7

Compound	$ \nu_s(\mathrm{MO}_2) $ $A_{1g}$	$ u_{as}(\mathrm{MO_2}) $ $ A_{2u}$	$f_r \left[ \frac{Md}{\mathring{\Lambda}} \right]$	$f_{rr}\left[rac{Md}{ ext{Å}} ight]$
$[\mathrm{ReO}_2en_2]\mathrm{Cl}$	890*	819	6.43	1.03
$[ReO_2 py_4]Cl$	890**	822	6.45	1.02
$K_3[ReO_2(CN)_4]H_2O$	880*	775	6.06	1.23
$[Re_2O_3\ en_2\ Cl_4]$	935	800	6.68	1.55
$[Re_2O_3 py_4 Cl_4]$	949	803	6.83	1.65
$K_6[Re_2O_3(CN)_8]$	912	784	6.39	1.55
$K_2[OsO_2Cl_4]$	900*	838	6.65	0.98
$(NH_4)_2[OsO_2Cl_4]$	900**	841	6.67	0.96
$\mathrm{Cs_2}[\mathrm{OsO_2Cl_4}]$	900**	835	6.63	1.00
$K_2[OsO_2Br_4]$	900**	843	6.68	0.95
$(\mathrm{NH_4})_2[\mathrm{OsO}_2\mathrm{Br}_4]$	900**	839	6.65	0.98
$K_2[OsO_2(OH)_4]$	860*	804	6.09	0.87
$K_4[Os_2O_6(NO_2)_4]$	889	843	6.59	0.86
$K_2[OsO_2(NO_2)_4]$	900**	841	6.67	0.96
$K_2[OsO_2(C_2O_4)_2]$	905**	839	6.69	1.03
$\mathbf{C}_{\mathbf{S}}[\mathbf{O}_{\mathbf{S}}\mathbf{O}_{2}(\mathbf{C}_{2}\mathbf{O}_{4})_{2}]$	905**	834	6.66	1.06
$({ m NH_4})_2 [{ m OsO_2}({ m C_2O_4})_2]$	905**	837	6.68	1.04
$K_4[Os_2O_6(C_2O_4)_2]$	905	820	6.59	1.08
$K_2[OsO_2(CN)_4]$	890*	830	6.51	0.95
$Cs[OsO_2(CN)_4]$	890**	836	6.55	0.91
$Ag_2[OsO_2(CN)_4]$	890**	832	6.52	0.94
$OsO_2(NH_3)_4]Cl_2$	870*	828	6.33	0.80
$\mathrm{OsO_2(NH_3)_4](OH)_2}$	870**	831	6.35	0.78
$OsO_2(NH_3)_4]SO_4$	870**	839	6.41	0.72
$\operatorname{Is_2}[\operatorname{RuO_2Cl_4}]$	820**	818	5.56	0.77
$\mathrm{Rb_2[RuO_2Cl_4]}$	820**	815	5.54	0.79
$ m S_2[RuO_2Br_4]$	820**	824	5.60	0.74
$V_{2}[\mathrm{RuO}_{2}\mathrm{Br}_{4}]$	820**	814	5.54	0.80
$I_2[{ m RuO}_2({ m SO}_4)_2]$	820**	807	5.50	0.84
$Ru_2O_6(NH_3)_4$	820	795	5.53	0.91

 $Y = [As(phon)_4];$  \* value from the Raman spectra of aqueous solutions (Spectrometer IKS-12); \*\* value assumed for calculations.

in atomic mass of the central metal with respect to the same ligand, i. e. oxygen, results in an increase of the force constant. The elements, arranged according to increasing atom mass, form the series Ru < Re < Os. If the metals are arranged according to their affinity to the  $2p_{\pi}$  electrons of oxygen, the following sequence will be obtained for a  $d^2$  electron configuration: Re(V) < Re(VI) < Os(VI). This effect, however, is small in comparison to the metal mass change effect, because the atomic mass of ruthenium is about twice as small as that

Force constants MOM systems — symmetry  $D_{\infty h}$ 

Compound	$ u_s(\text{MOM}) $ $ \Sigma_g^+ $	$\begin{array}{c c} v_{as}(\text{MOM}) \\ \Sigma_u^+ \end{array}$	$f_r \left[ \frac{\text{Md}}{\text{Å}} \right]$	$f_{rr} \left[ \frac{\text{Md}}{\text{Å}} \right]$	Bond order
$K_4[Re_2OCl_{10}]$	200	855	3.84	0.54	
$Cs_4[Re_2OCl_{10}]$	200	851	3.87	0.60	
$\begin{bmatrix} \operatorname{Re}_2\operatorname{O}_3en_2\operatorname{Cl}_4 \end{bmatrix}$	200*	730	3.40	0.99	1.5
$[\operatorname{Re}_2\operatorname{O}_3py_4\operatorname{Cl}_4]$	200*	700	3.30	1.08	1 -
$K_6[Re_2O_3(CN)_8]$	200	752	3.47	0.82	
$(NH_4)_4[Os_2OCl_{10}]$	205*	845	3.97	0.74	
$Y_4[Os_2OCl_{10}]$	205*	838	3.94	0.76	
$Cs_4[Os_2OBr_{10}]$	205*	843	3.96	0.74	
$Y_4[Os_2OBr_{10}]$	205*	845	3.97	0.74	
$Cs_4[Os_2OI_{10}]$	205*	835	3,92	0.78	
$Y_4[Os_2OI_{10}]$	205*	841	3,95	0.75	
$Cs_4[Os_2OCl_6Br_4]$	205	848	3.98	0.72	
$Y_4[Os_2OCl_6Br_4]$	204	846	3.94	0.72	1
$Cs_4[Os_2OClI_{82}]$	215	832	4.15	1.02	
$Y_4[Os_2OCl_8I_2]$	213	830	4.09	0.99	
$K_4[Ru_2OCl_{10}]$	230**	885	3,57	0.14	1.
Y <sub>4</sub> [Ru <sub>2</sub> OCl <sub>10</sub> ]	230**	880	3,55	0.16	1.2
K <sub>4</sub> [Ru <sub>2</sub> OBr <sub>10</sub> ]	230*	858	3,46	0.26	
$Y_4[Ru_2OBr_{10}]$	230*	861	3.47	0.25	
$Y_4[Ru_2OCl_8Br_9]$	245	852	3.37	0.20	-

<sup>\*</sup> value assumed for calculations

TABLE XXVI

Compounds	ν(M−OH)	$f_r \left[ \frac{\mathrm{Md}}{\mathrm{\mathring{A}}} \right]$
	1 1 2 2	
$[\mathrm{Re}(\mathrm{OH})_2en_2]\mathrm{Cl}_3$	571	2.99
$[Re(OH)_2en_2]F_3$	554	2.82
$[ReO(OH)en_2]Cl_2$	565	2.93
$K_4[OsO_2(OH)_4]$	448	1.84
[Ru(OH)(NH <sub>3</sub> ) <sub>4</sub> (NO)]Cl <sub>2</sub>	574	2.82
$[Ru(OH)(NH_3)_4(NO)]Br_2$	581	2.89
$Ag_{2}[Ru(OH)Cl_{4}(NO)]$	528	2.39
$K_4[Ru(OH)(NO_2)_4(NO)]$	584	2.92

of two other elements. For a series of dioxy-compounds one should then expect the following sequence of stretching force constants:

$$f_r[\mathrm{Os^{VI}}] \approx f_r[\mathrm{Re^{V}}] > f_r[\mathrm{Ru^{VI}}].$$

This sequence agrees with experiments (Table XXIV).

 $Y - [As(phen_4)]$ 

<sup>\*\*</sup> calculated from overtone  $2 \times v_s(\text{RuORu})$ 

The metal-oxygen bonds in mono-oxy compounds of osmium and rhenium (like in trioxy compounds) exhibit comparable values of force constants  $f_r$ , what is due to the approximately equal atomic masses of these elements.

A comparison of stretching force constants within the same metal depending on the electron configuration will be interesting. The force field around the central metal increases with the increase in oxidation state. This leads to the force constant increase with the increasing oxidation state and with the increase in the metal-oxygen bond order:  $f_r[\text{MOL}_5] > f_r[\text{MO}_2\text{L}_4] > f_r[\text{MOM}] > f_r[\text{M}-\text{OH}]. \text{ A similar series is formed by the force constants } f_r \text{ of tetrahedral ruthenium anions (Table XXII) namely:}$ 

$$f_r[\mathrm{RuO_4}] > f_r[\mathrm{RuO_4^-}] > f[\mathrm{RuO_4^-}].$$

To sum up, it should be emphasized that the calculated values of force constants enabled us to draw certain conclusions regarding the nature and order of the metal-oxygen bonding in complex compounds. On the other hand, thanks to group theory, it was possible to determine the structure and symmetry of the compound studied.

Further support of all conclusions presented in this work is provided by the results of magnetic and spectroscopic studies in the visible and ultraviolet regions [100].

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